

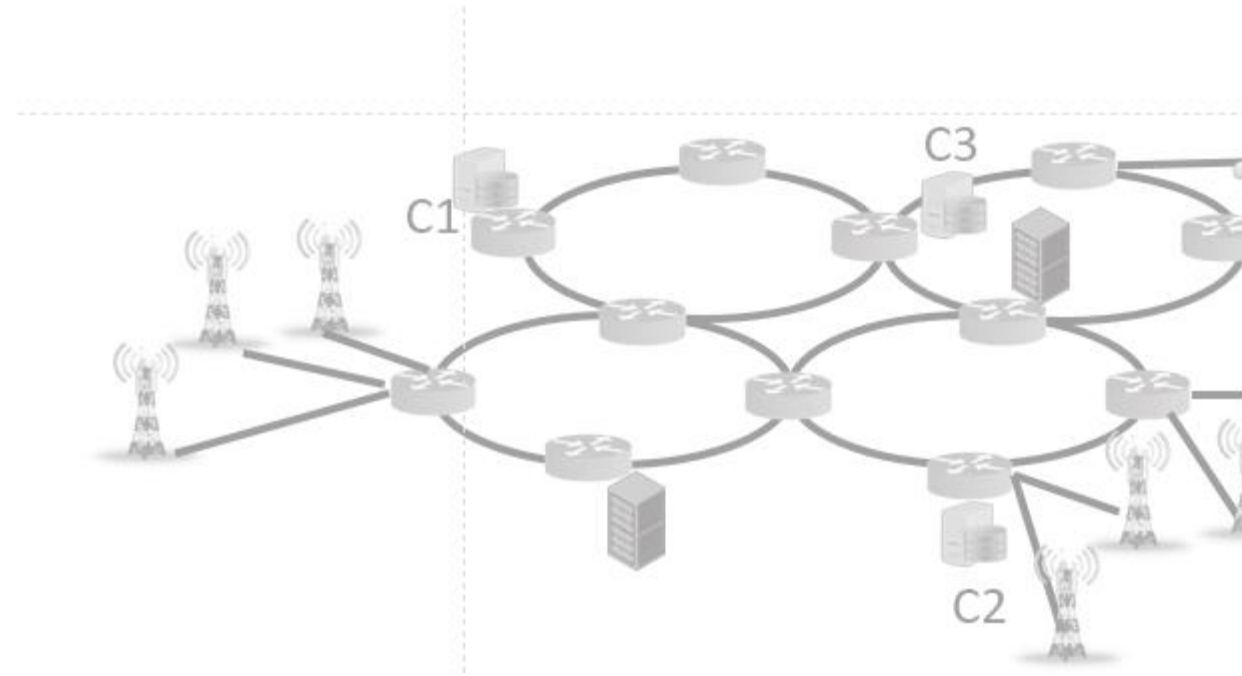
Reliable Slicing

Andrea Marotta

Group Meeting
Friday, May 3, 2019

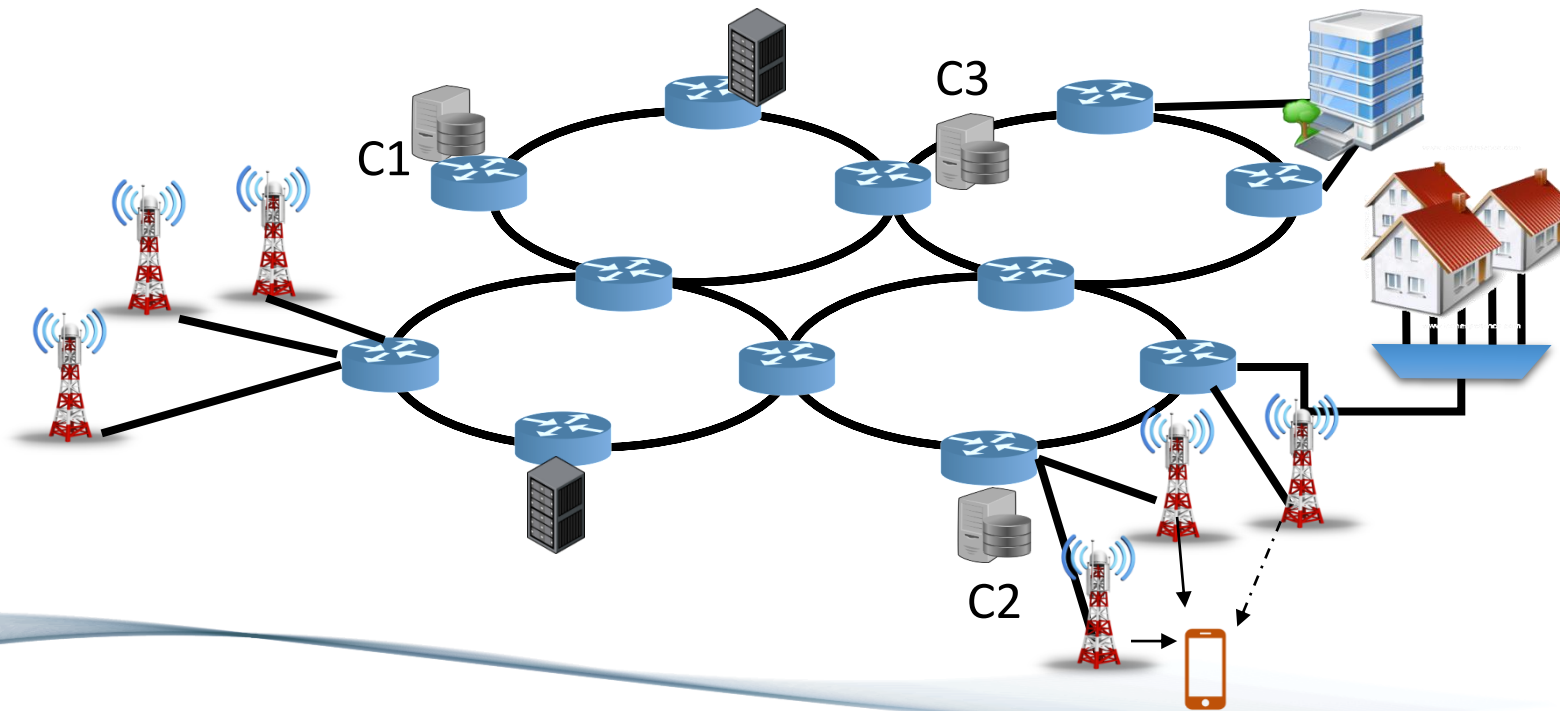
Outline

- Slicing scenarios
 - Slice isolation
 - Virtualization techniques
- Slicing protection
 - PAC vs PAL
 - Protection strategies
- Problem formulation



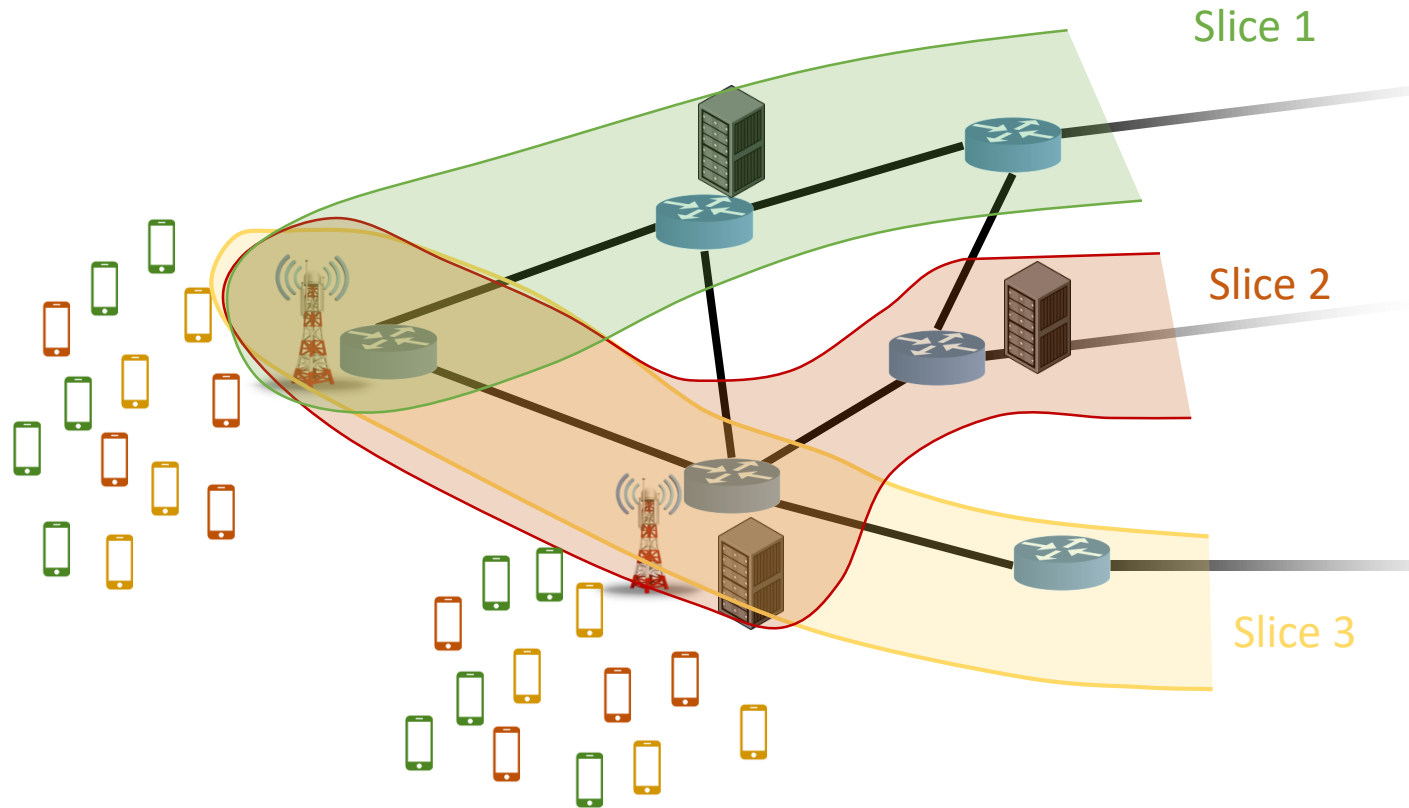
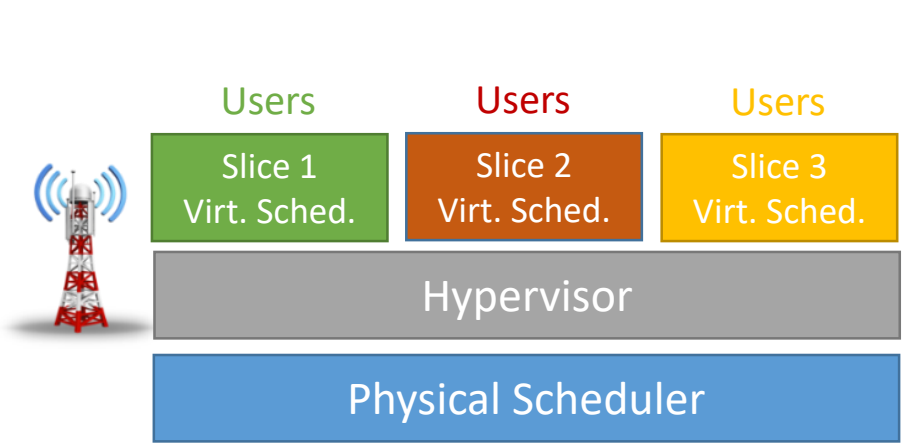
Integrated Optical-Wireless Reliable Slicing

- Can we integrate mobile network resiliency and Metro-Access network protection in mobile multi-connectivity scenarios?



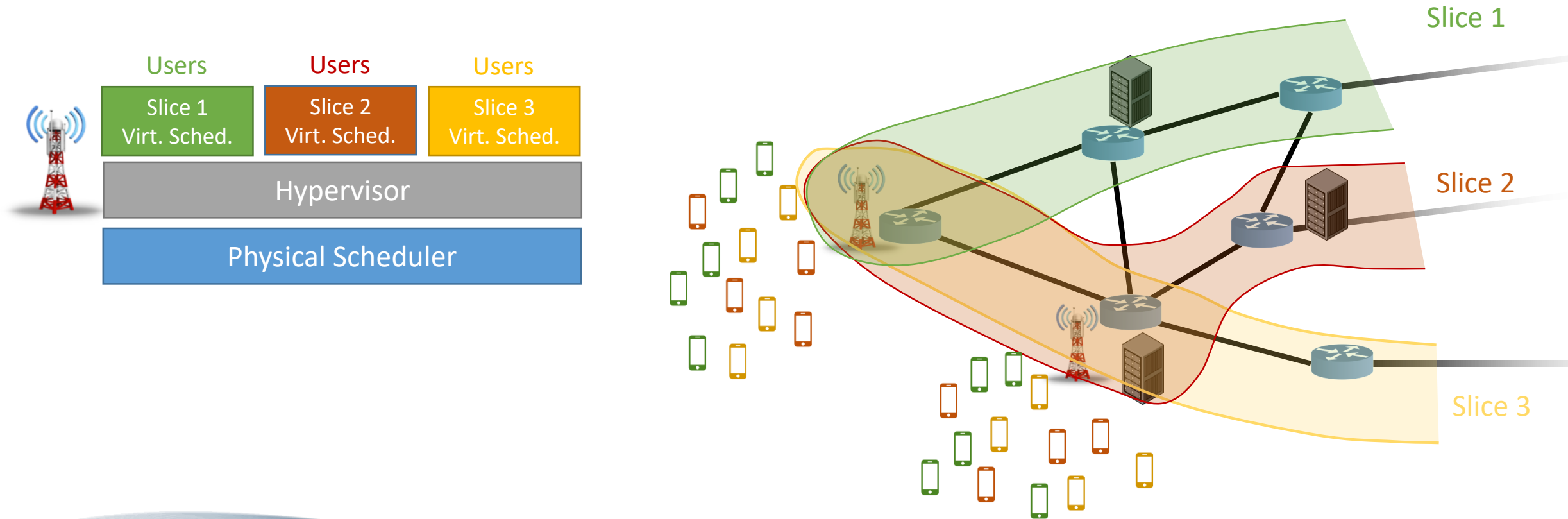
Slicing in Radio Access Networks (1)

- Radio Access Network (RAN) slicing is implemented at the radio scheduler
- Each Radio Access Point should support more than one slice

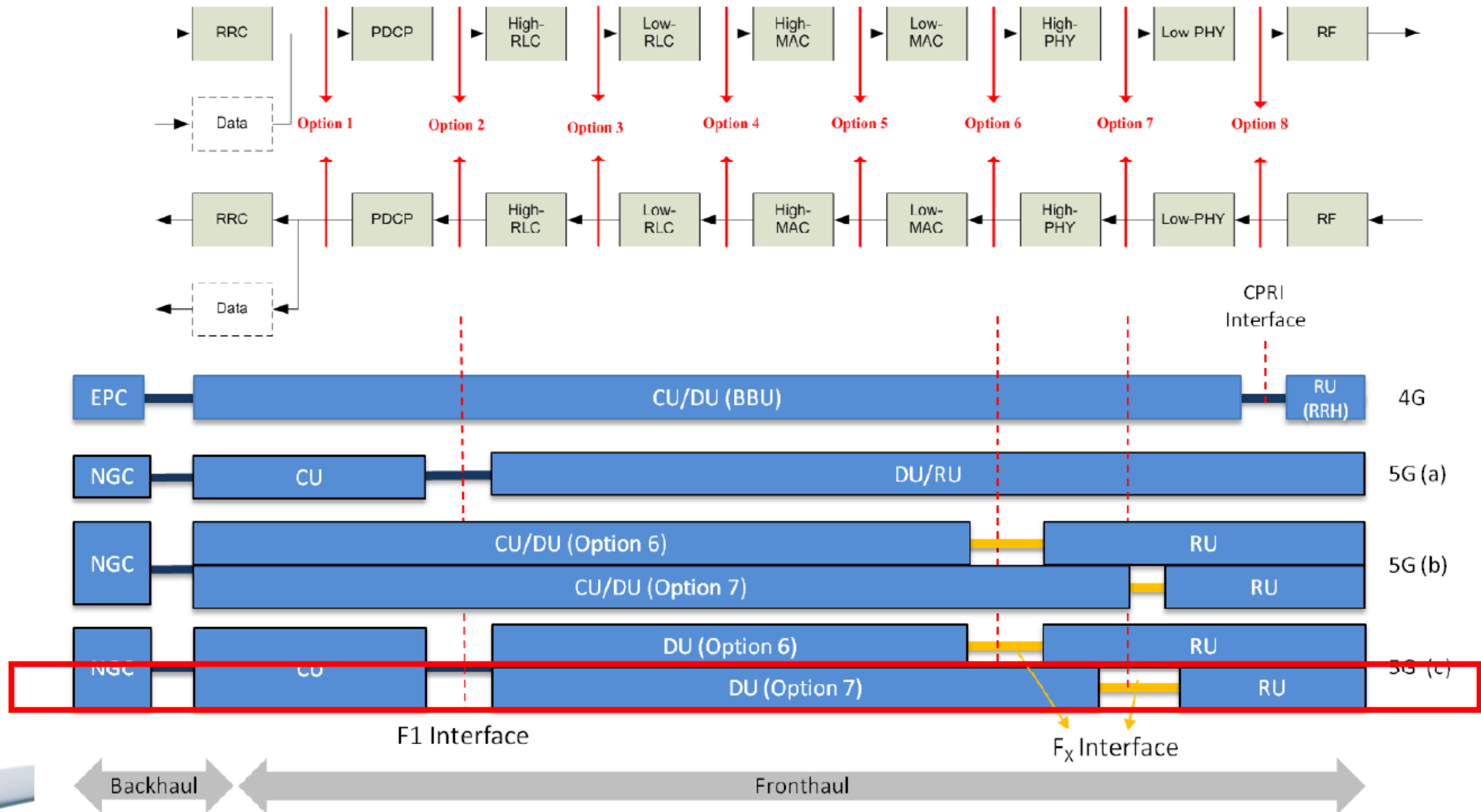


Slicing in Radio Access Networks (1)

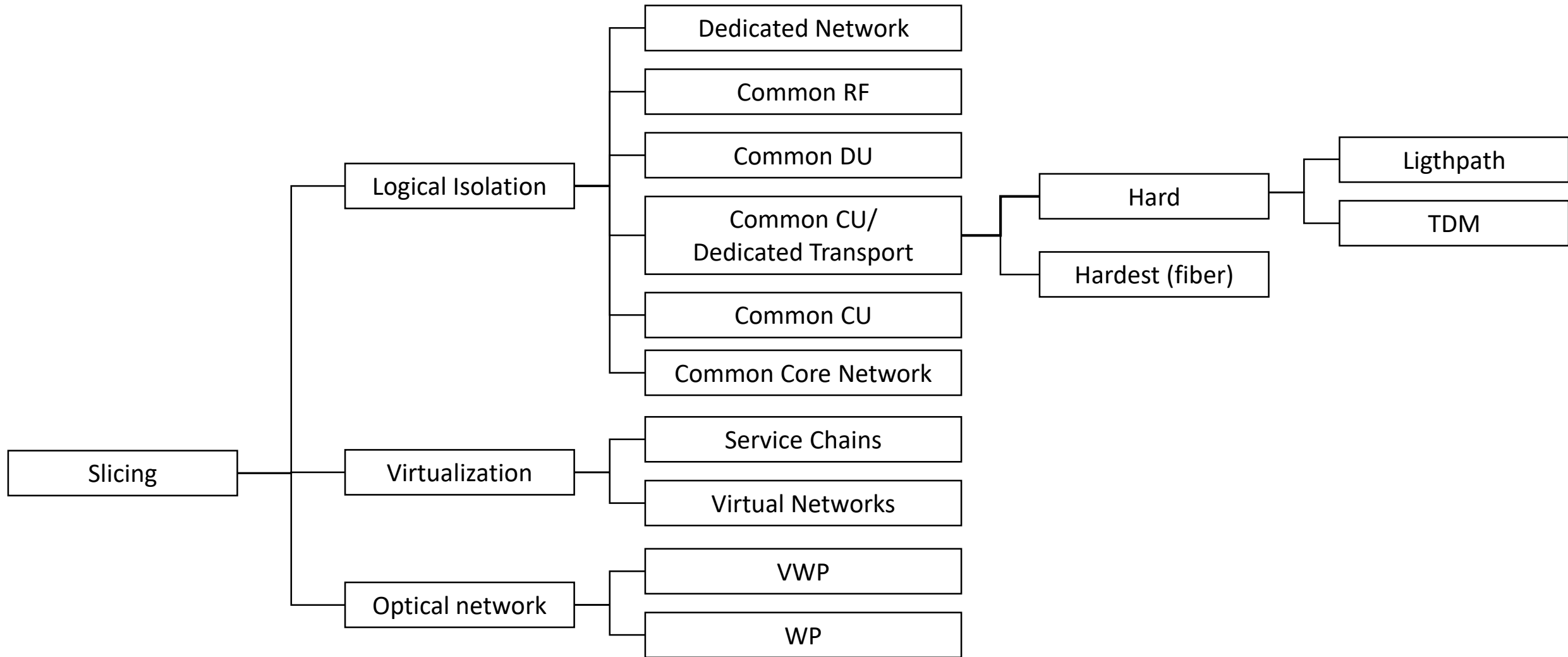
- Radio Access Network (RAN) slicing **can be** implemented at the radio scheduler
- Each Radio Access Point should support more than one slice



Virtual service chains for mobile network slicing



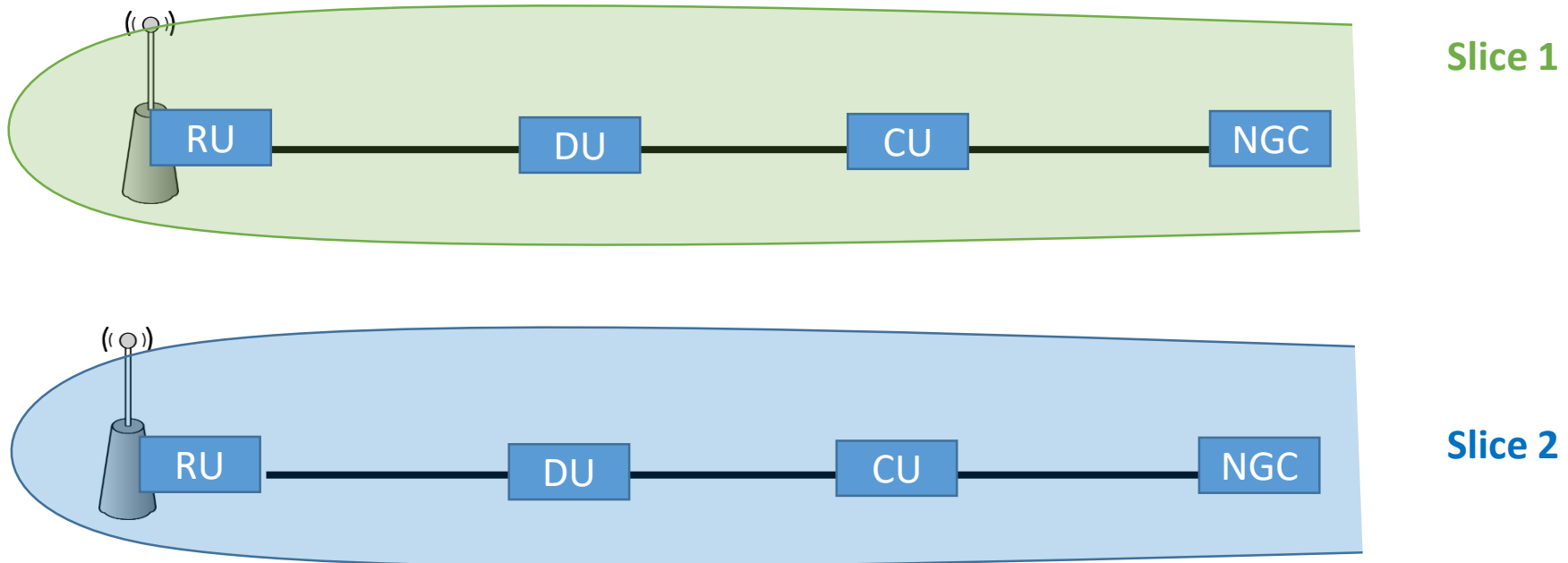
Slicing Overview



Slice Isolation (L0)

- Dedicated network
- Each slice has its own elements
- High cost

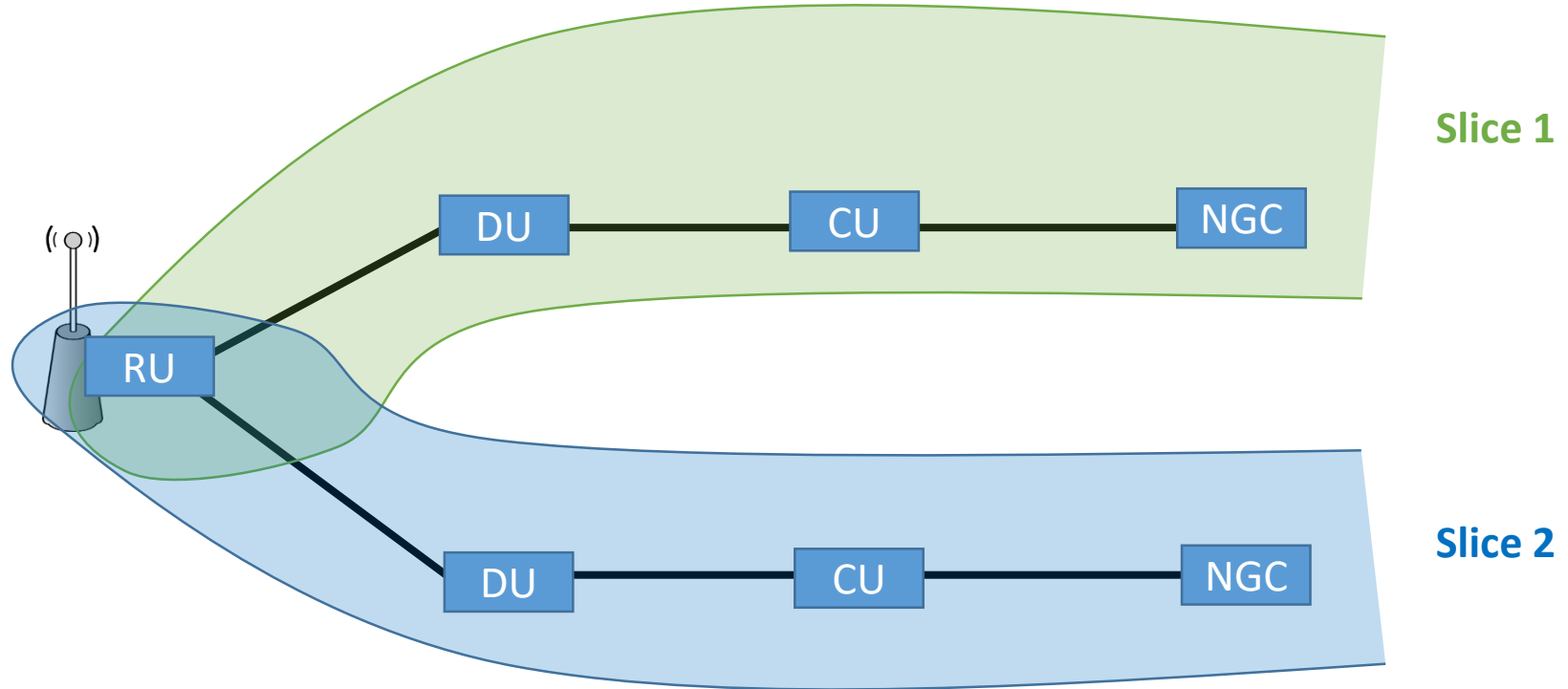
Slice 1: High Capacity – No protection req.
Slice 2: Low capacity - Reliable



Slice Isolation (L1)

- Common Radio Unit

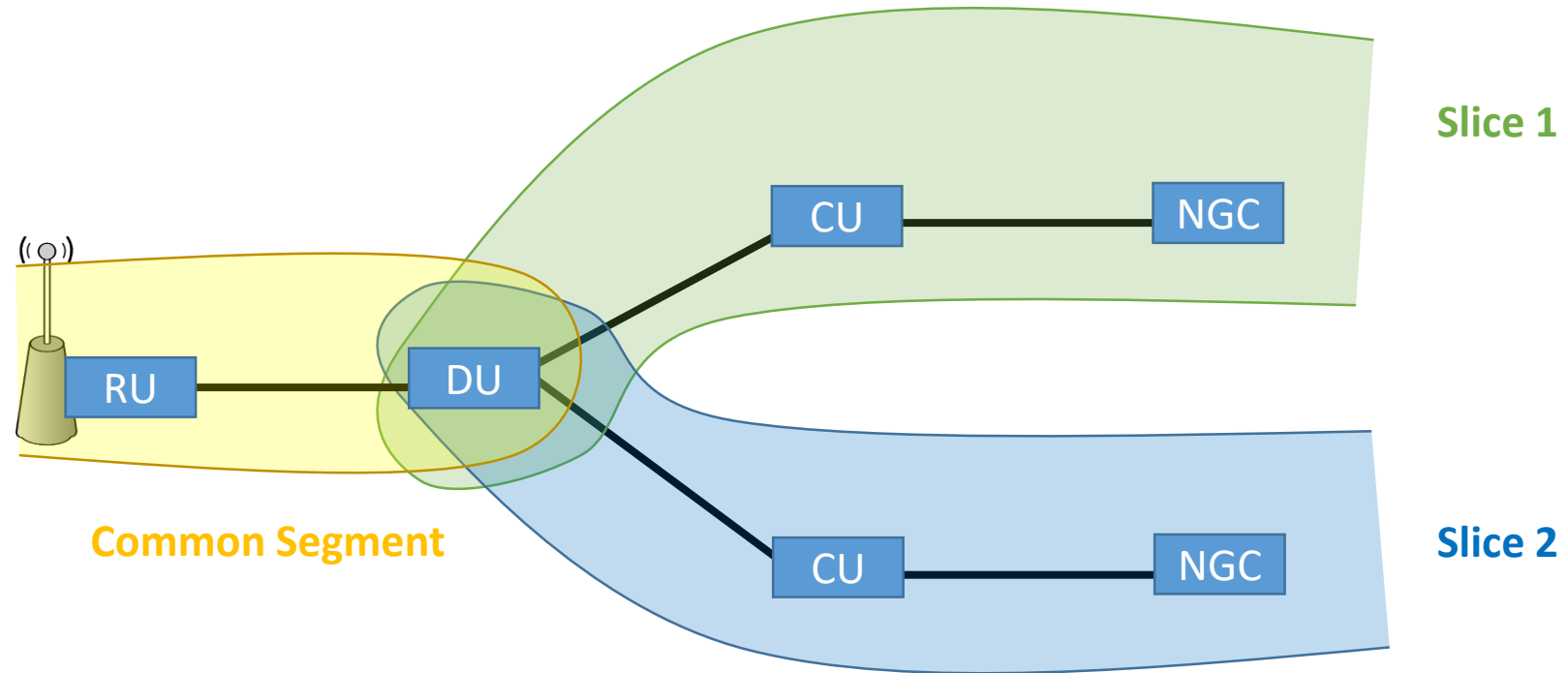
Slice 1: High Capacity – No protection req.
Slice 2: Low capacity - Reliable



Slice Isolation (L2)

- Common Distributed Unit
- Slicing is implemented at the radio scheduler

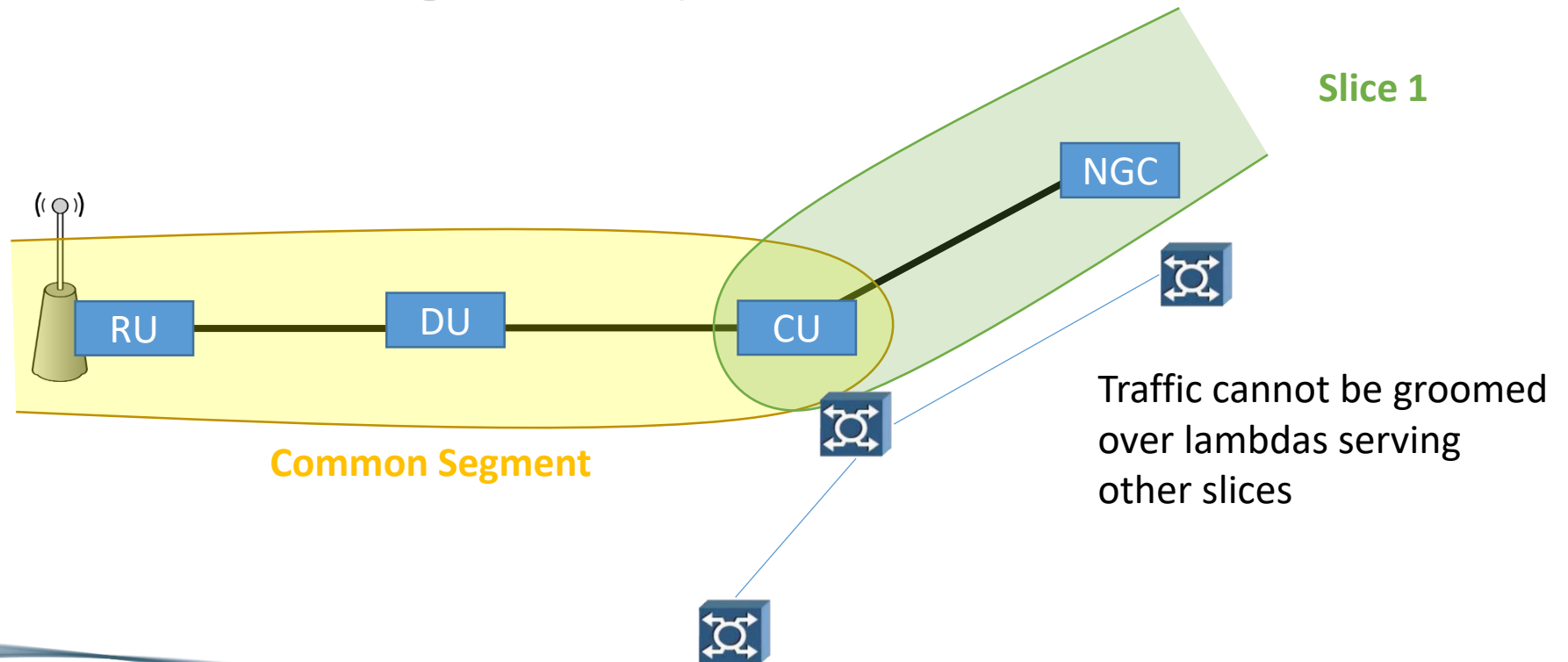
Slice 1: High Capacity – No protection req.
Slice 2: Low capacity - Reliable



Slice Isolation (L3)

- Common Central Unit
- Dedicated physical transport network
 - Hard slicing (dedicated wavelengths, TDM resources)
 - Hardest (dedicated fibers, routing resources)

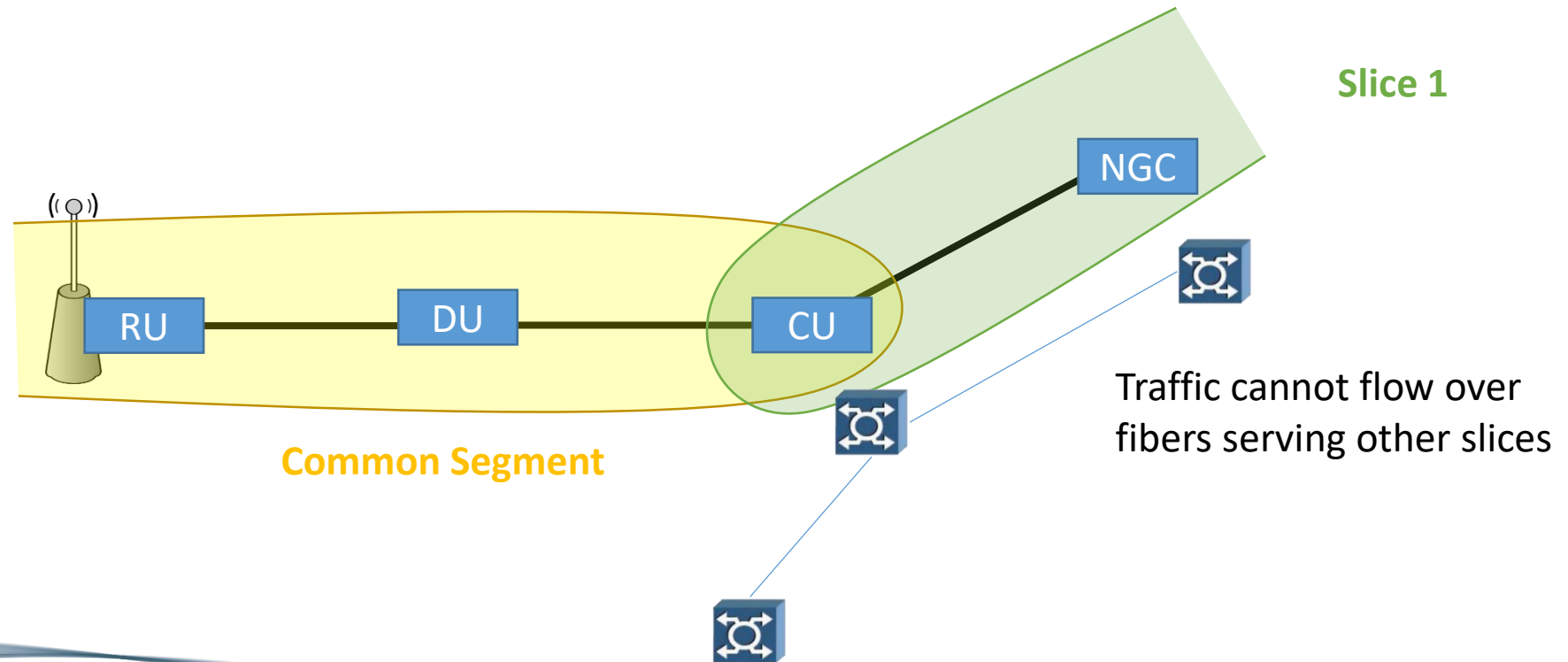
Slice 1: High Capacity – No protection req.
Slice 2: Low capacity - Reliable



Slice Isolation (L3)

- Common Central Unit
- Dedicated physical transport network
 - Hard slicing (dedicated wavelengths, TDM resources)
 - Hardest (dedicated fibers, routing resources)

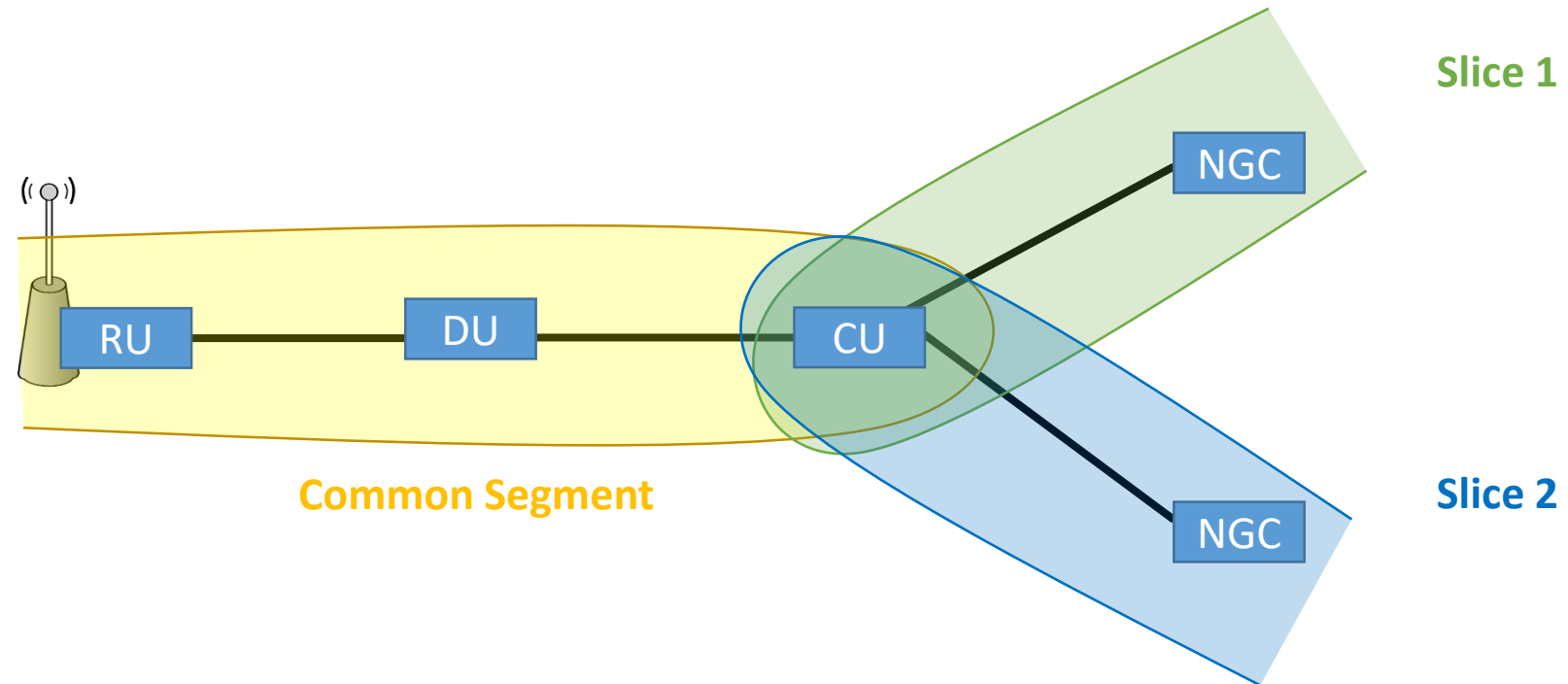
Slice 1: High Capacity – No protection req.
Slice 2: Low capacity - Reliable



Slice Isolation (L4)

- Common Central Unit
- Without dedicated physical transport network

Slice 1: High Capacity – No protection req.
Slice 2: Low capacity - Reliable

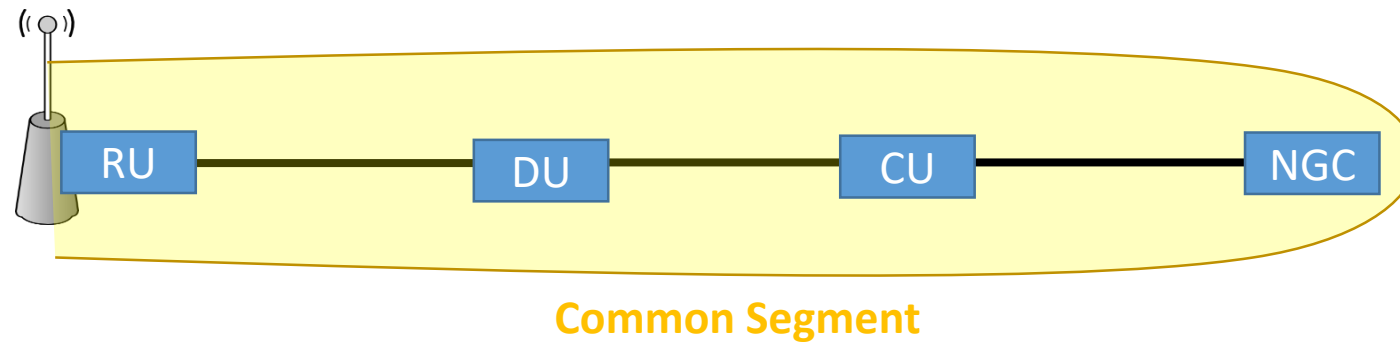


Slice Isolation (L5)

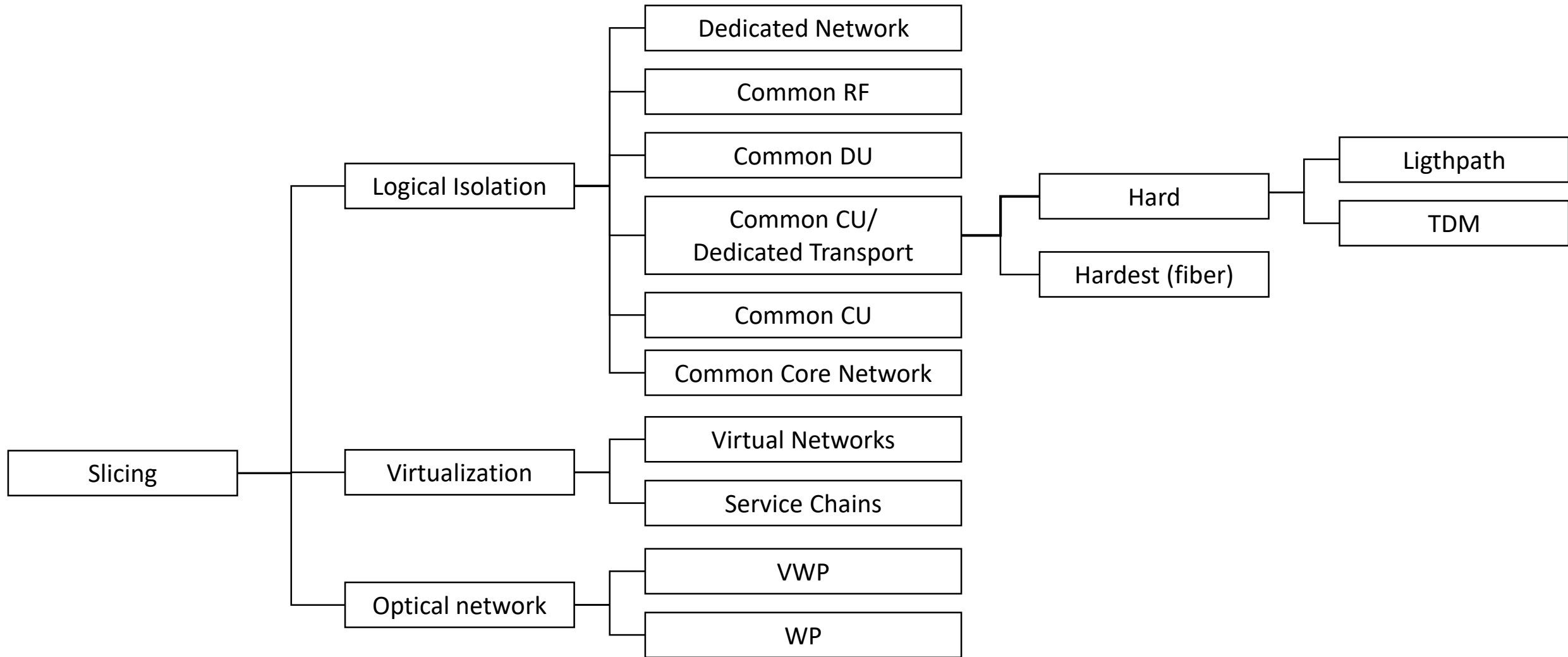
- Common Core Network
- No logical elements per slice

Slice 1: High Capacity – No protection req.

Slice 2: Low capacity - Reliable

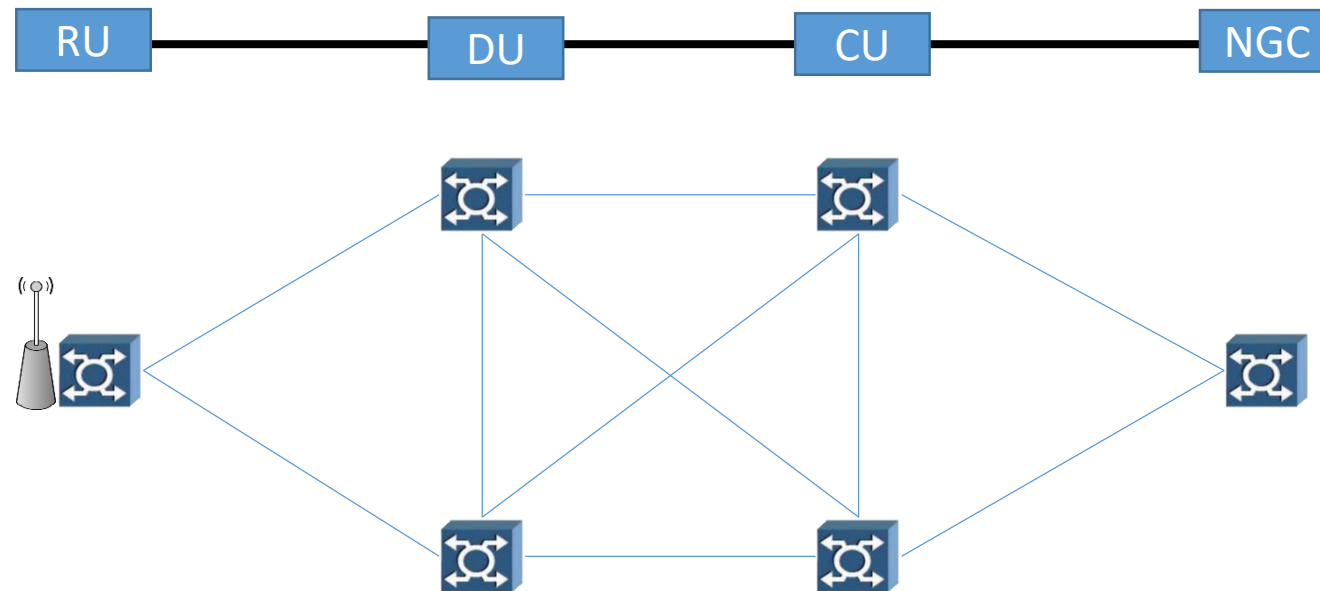


Slicing Overview



Virtual Networks vs. Service Chains (1)

- Slice:
 - Set of virtual node and virtual links with capacity requirements
 - Associated to reliability requirements
 - Dedicated transport



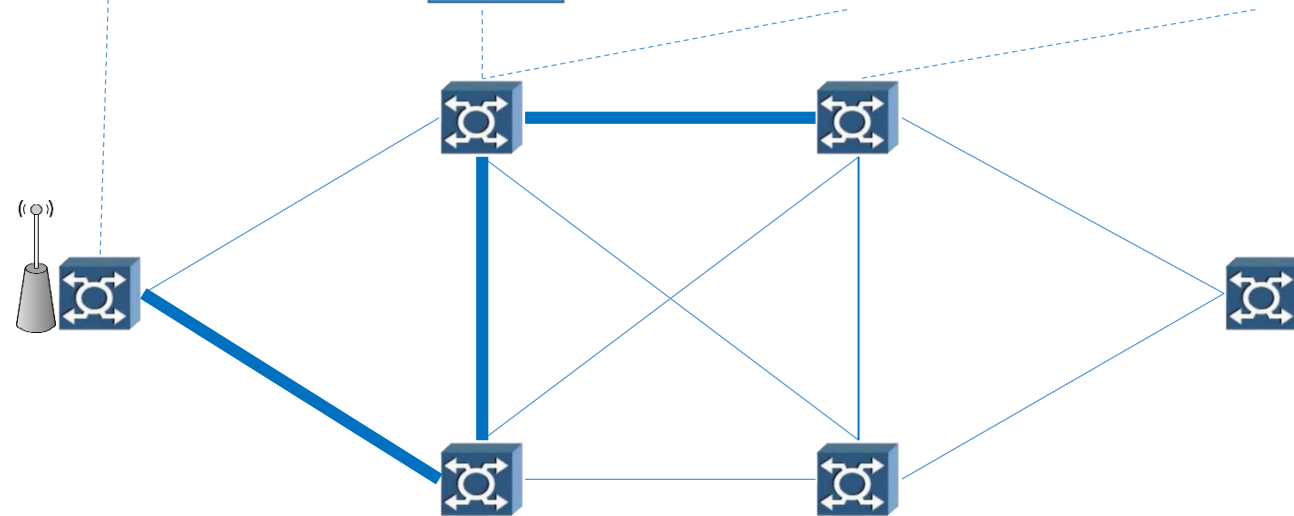
Virtual Networks vs. Service Chains (1)

- Service chains
 - Functions are provisioned to compose the service chain
 - Several functions can be mapped on the same node

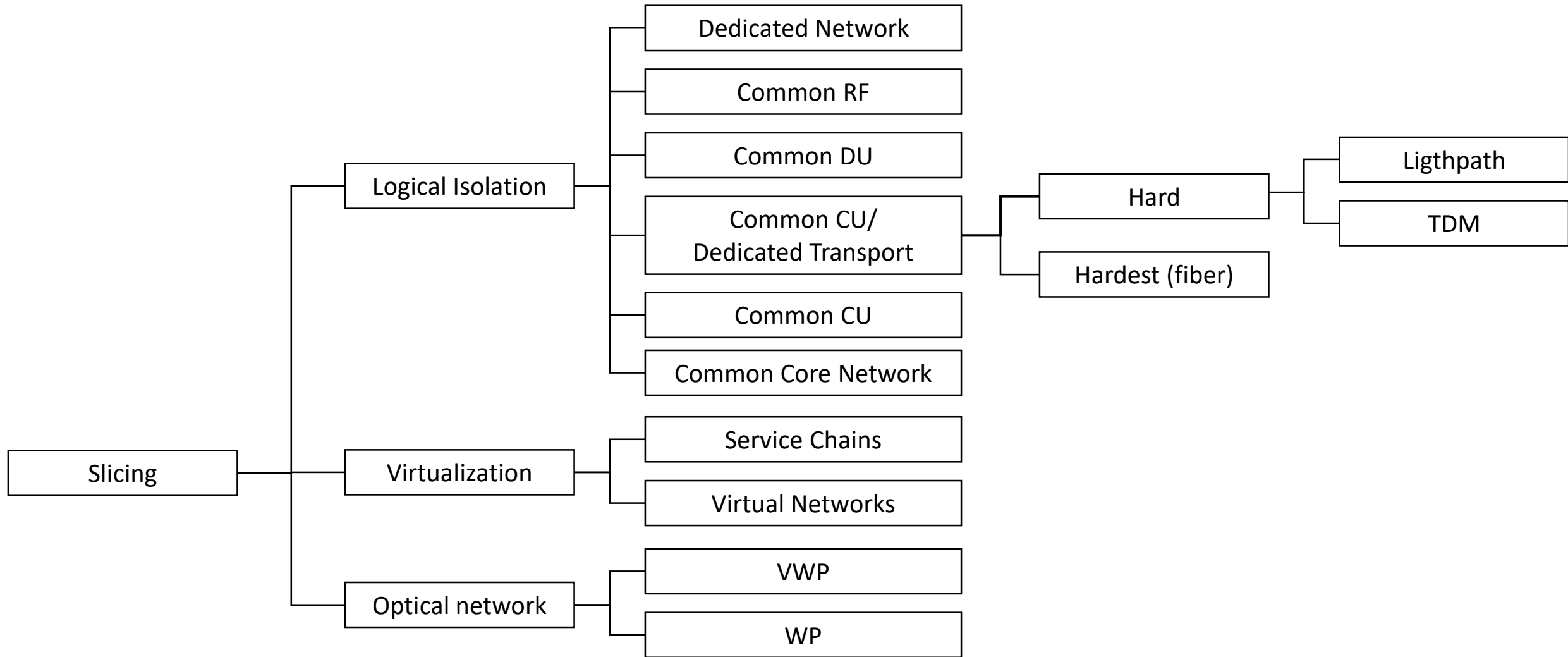
Function chain



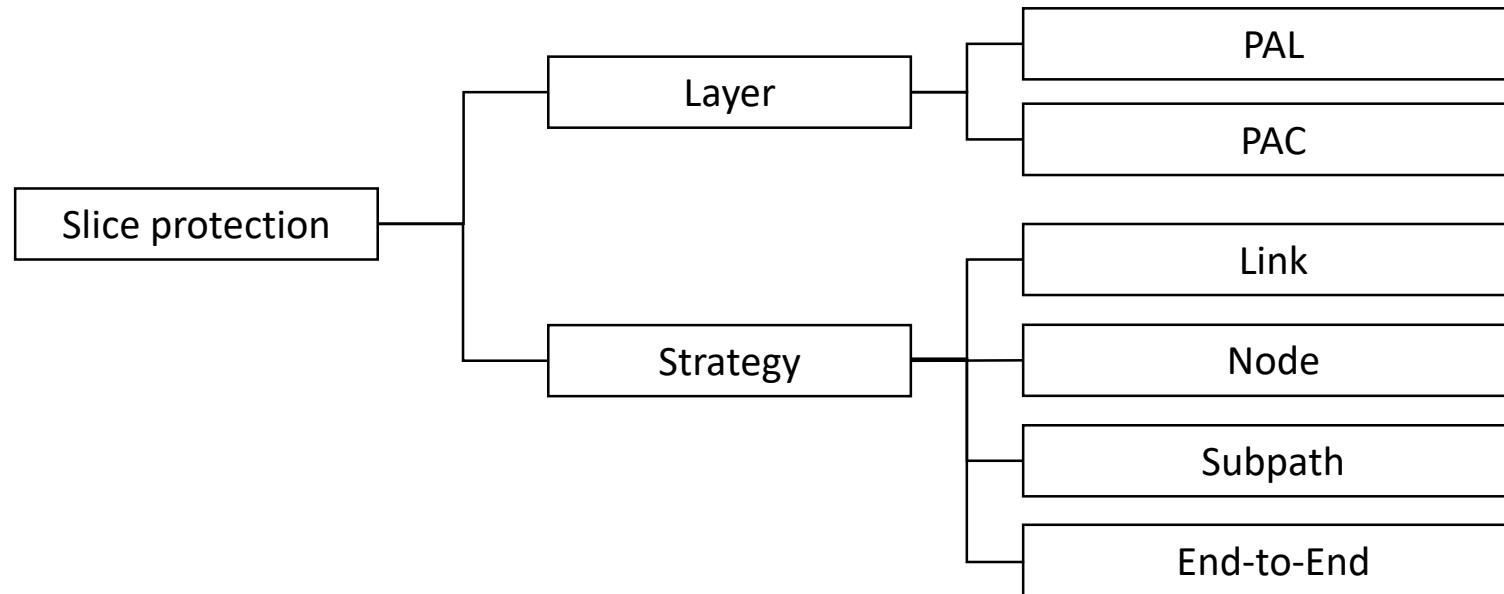
Substrate network



Slicing Overview



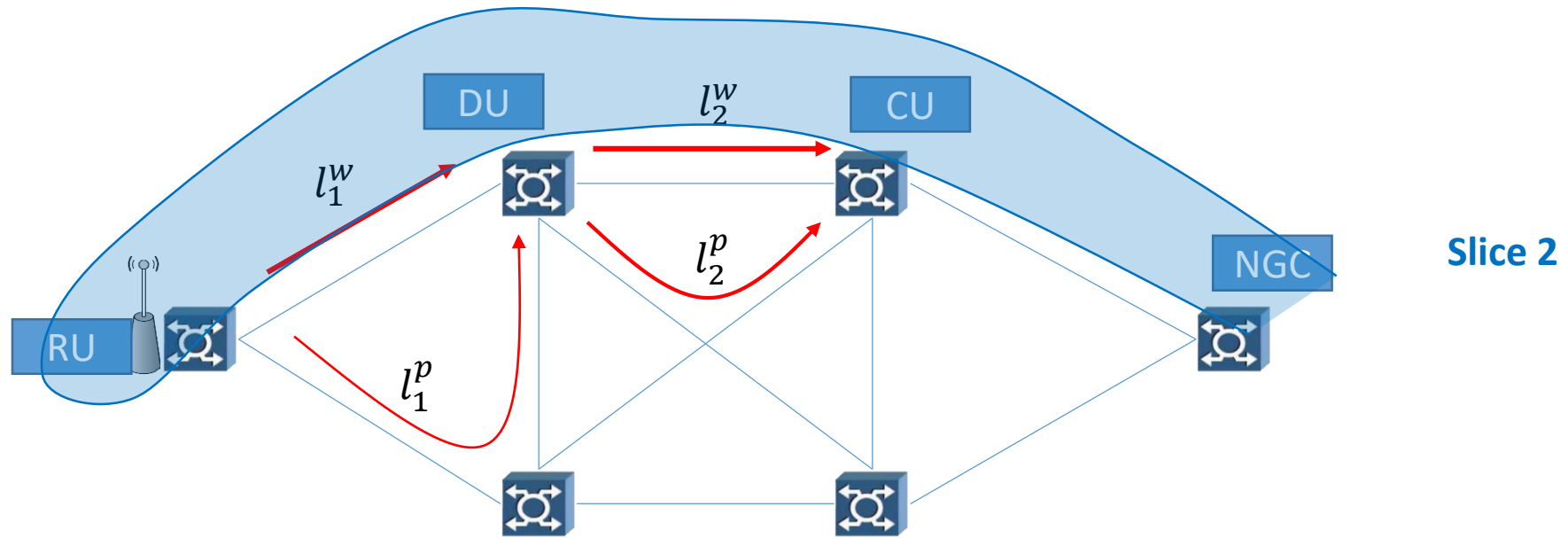
Slice Protection Overview



Protection at Lightpath

- Each lightpath has its own protection
 - l_i^w and l_i^p form the p-lightpath l_i
 - Slice 1 uses p-lightpaths l_1 and l_2

Slice 1: High Capacity – No protection req.
Slice 2: Low capacity - Reliable



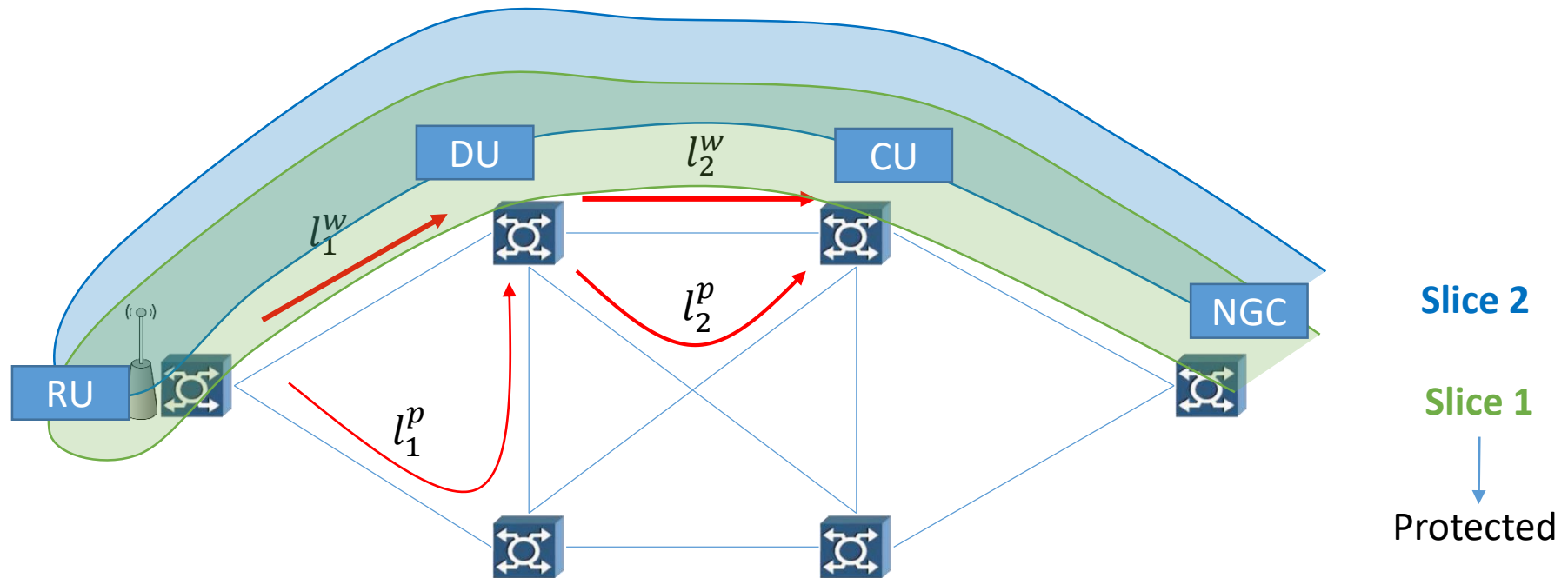
Protection at Lightpath

- Each lightpath has its own protection

- l_i^w and l_i^p form the p-lightpath l_i
- Slice 1 uses p-lightpaths l_1 and l_2
- Slice 2 uses p-lightpaths l_1 and l_2 (but does not need protection)

Slice 1: High Capacity – No protection req.

Slice 2: Low capacity - Reliable

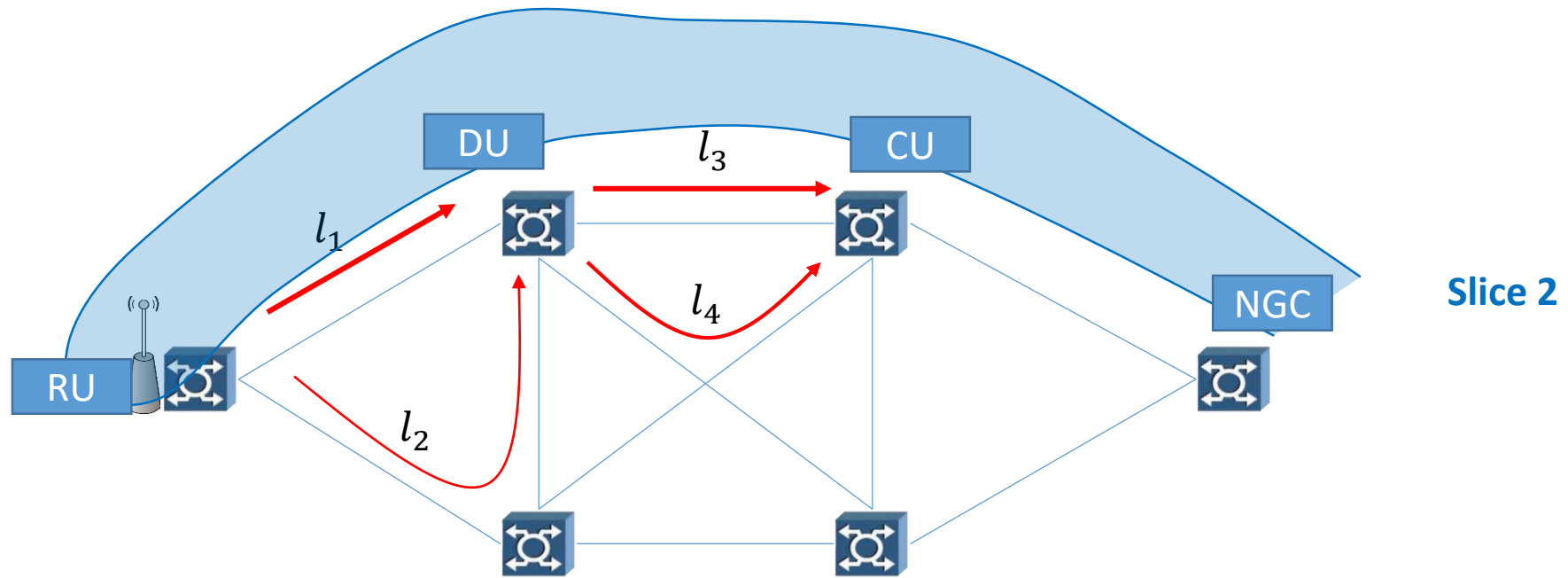


Protection at Connection

- Each lightpath is a separated entity
 - Slice 1 uses lightpaths l_1 and l_3 as working
 - l_2 and l_4 as protection

Slice 1: High Capacity – No protection req.

Slice 2: Low capacity - Reliable

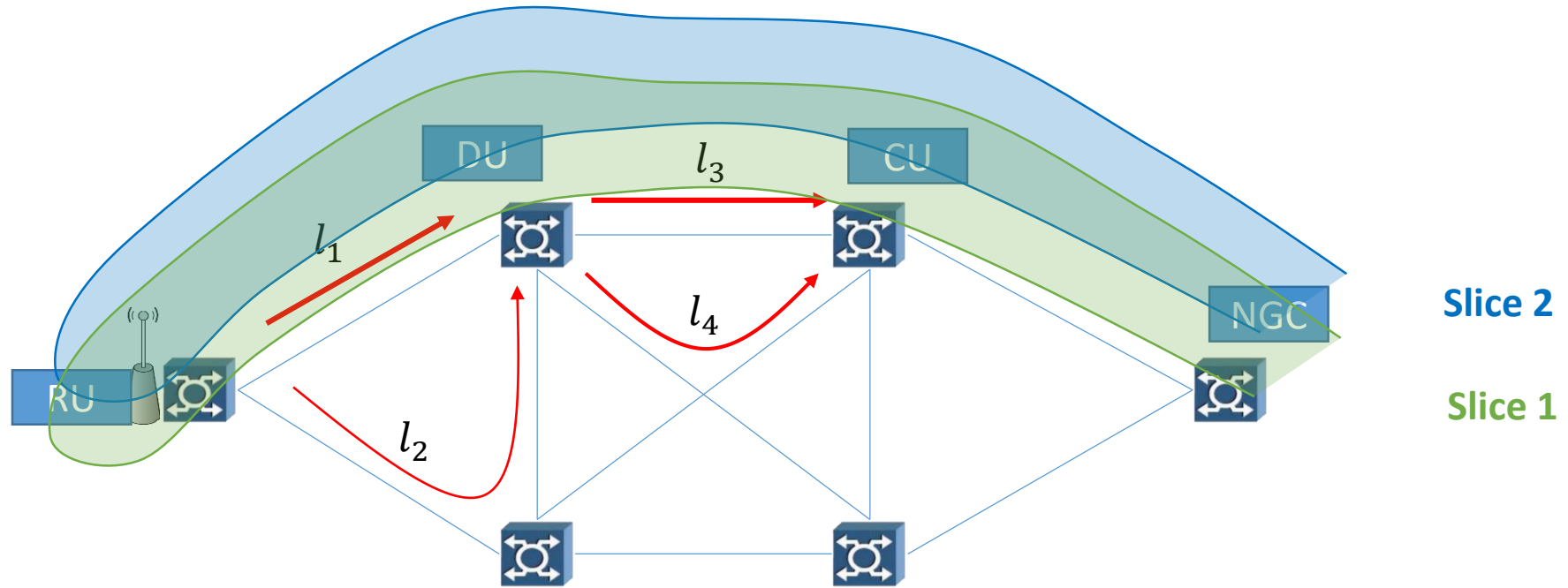


Protection at Connection

- Each lightpath is a separated entity
 - Slice 1 uses lightpaths l_1 and l_3 as working
 - l_2 and l_4 as protection
 - Slice 2 uses only lightpaths l_1 and l_3 as working

Slice 1: High Capacity – No protection req.

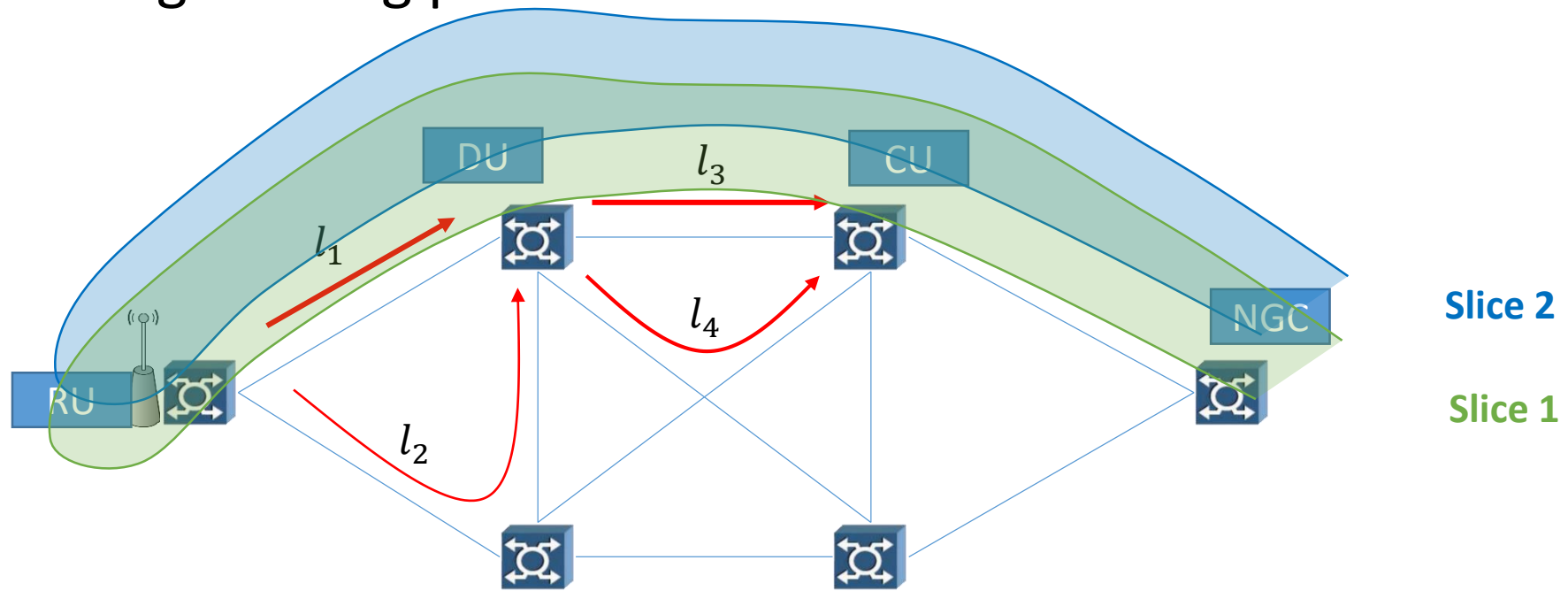
Slice 2: Low capacity - Reliable



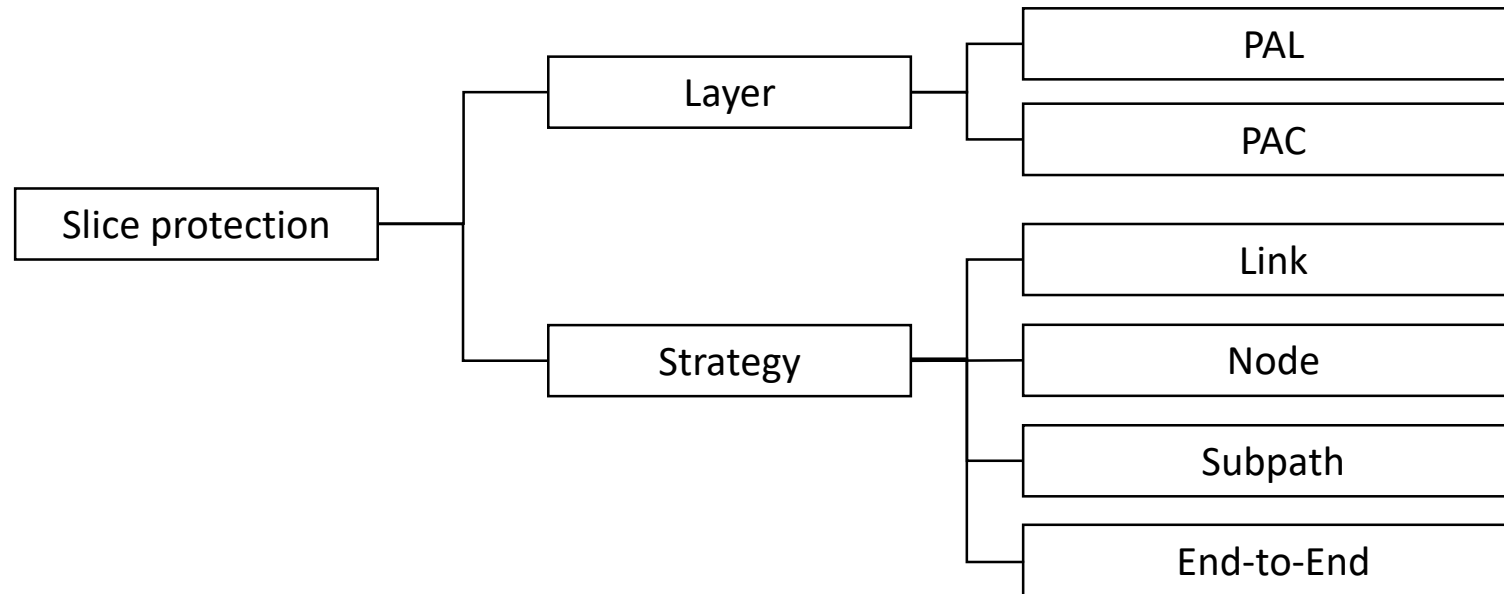
Protection at Connection

- Each lightpath is a separated entity
- Connection-aware
- Packs connections more efficiently
- Higher number of grooming ports

Slice 1: High Capacity – No protection req.
Slice 2: Low capacity - Reliable



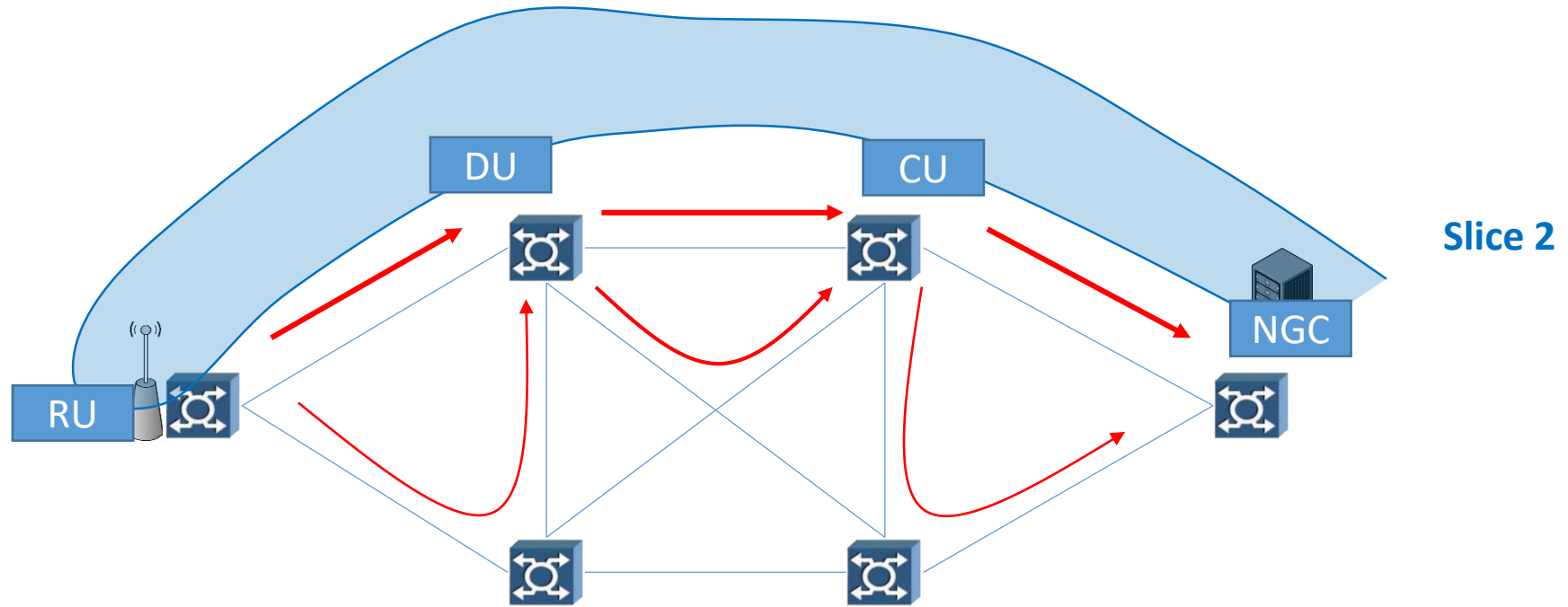
Slice Protection Overview



Protection strategy

- Link protection

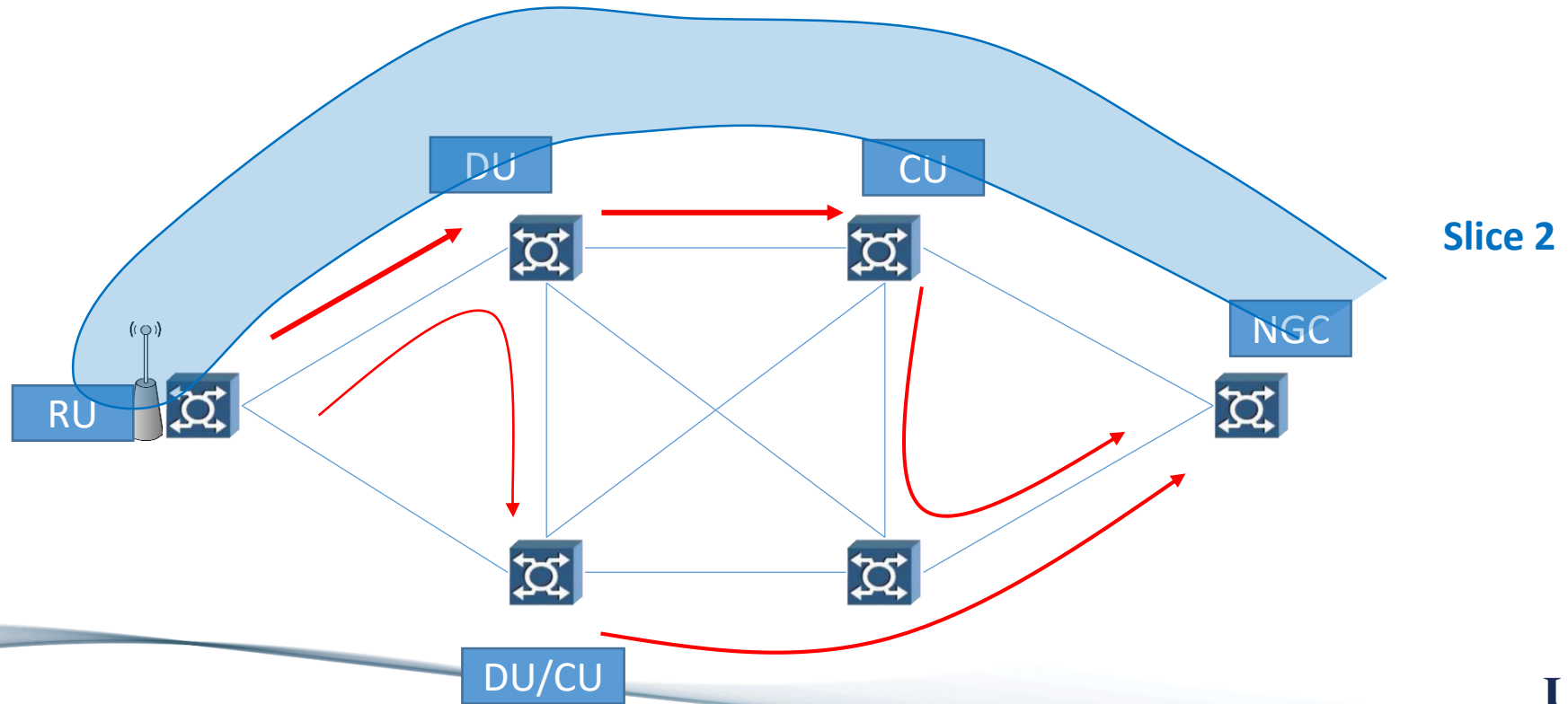
Slice 1: High Capacity – No protection req.
Slice 2: Low capacity - Reliable



Protection strategy

- Node protection

Slice 1: High Capacity – No protection req.
Slice 2: Low capacity - Reliable

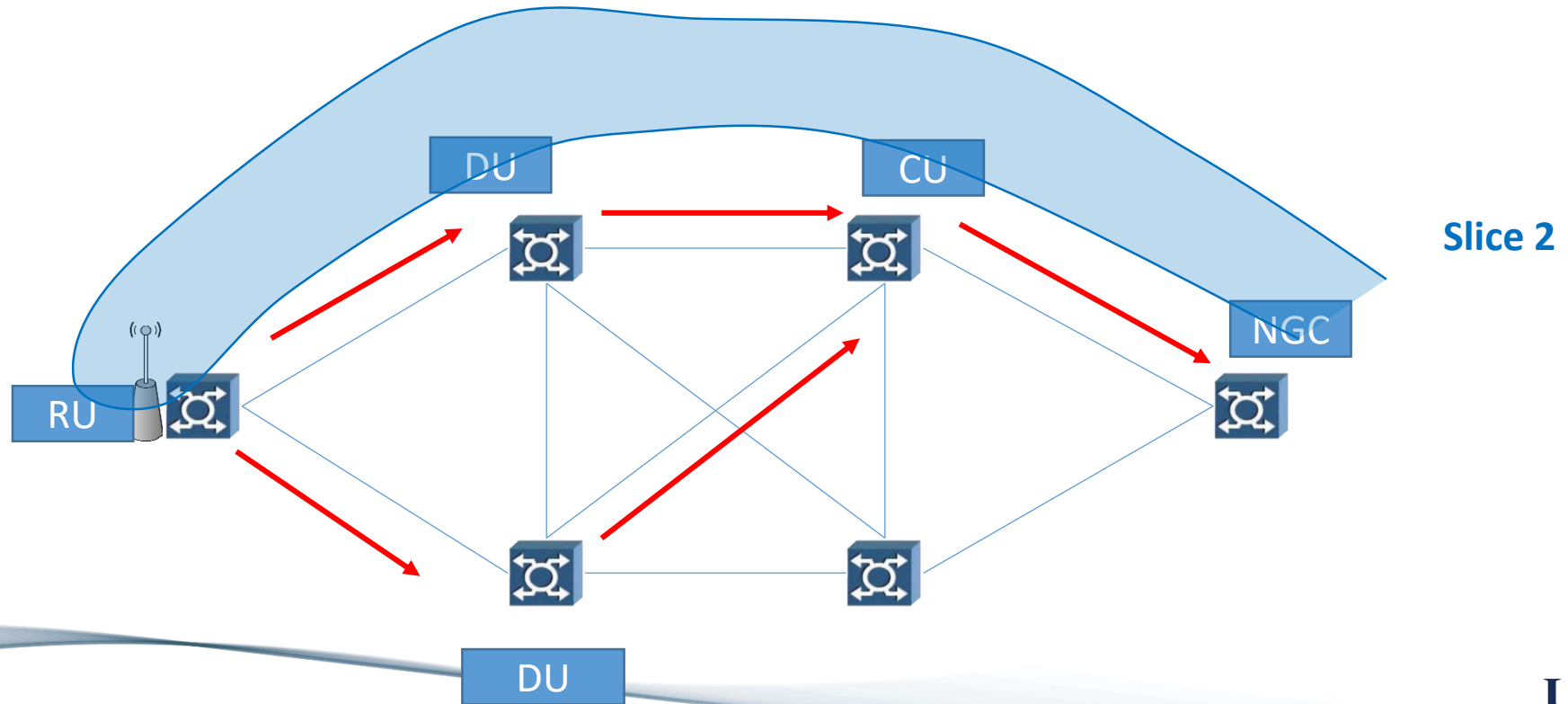


Protection strategy

- Subpath protection

Slice 1: High Capacity – No protection req.

Slice 2: Low capacity - Reliable

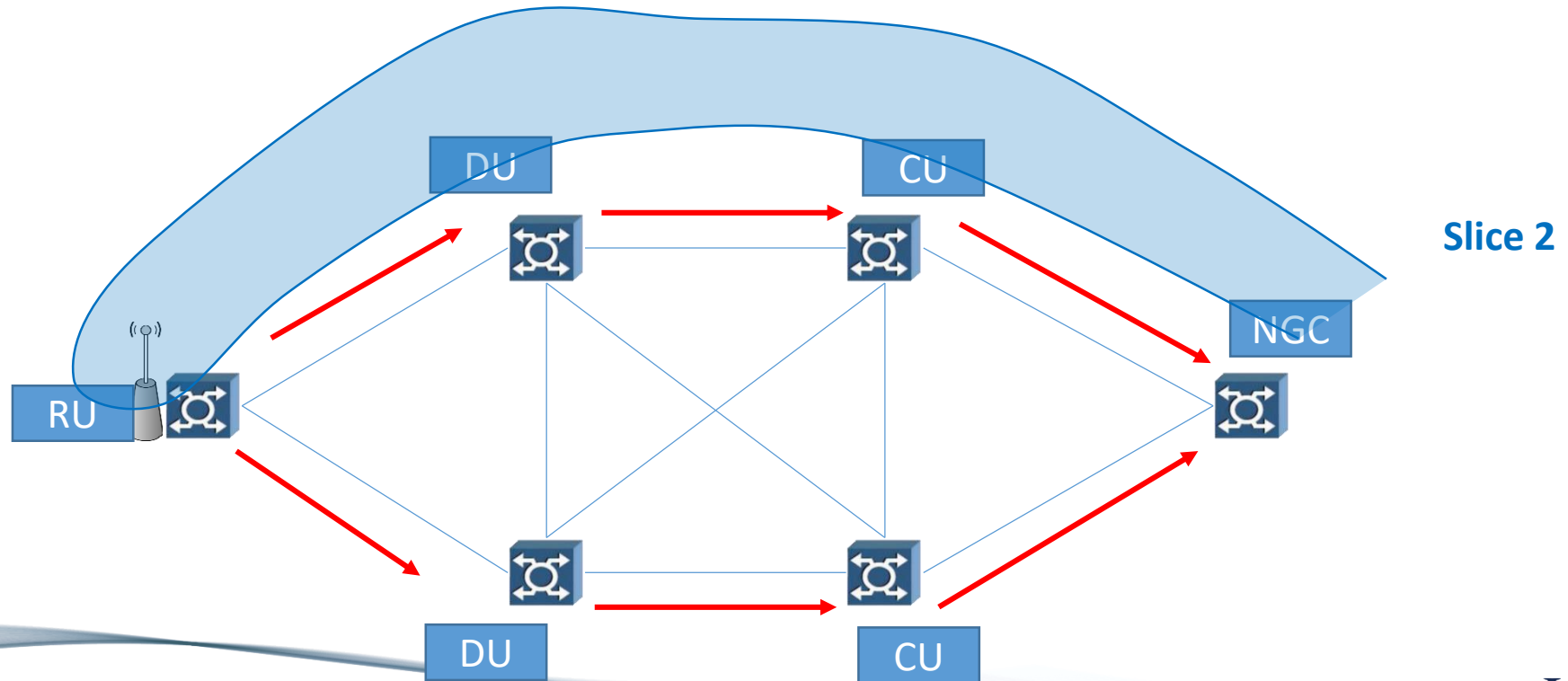


Protection strategy

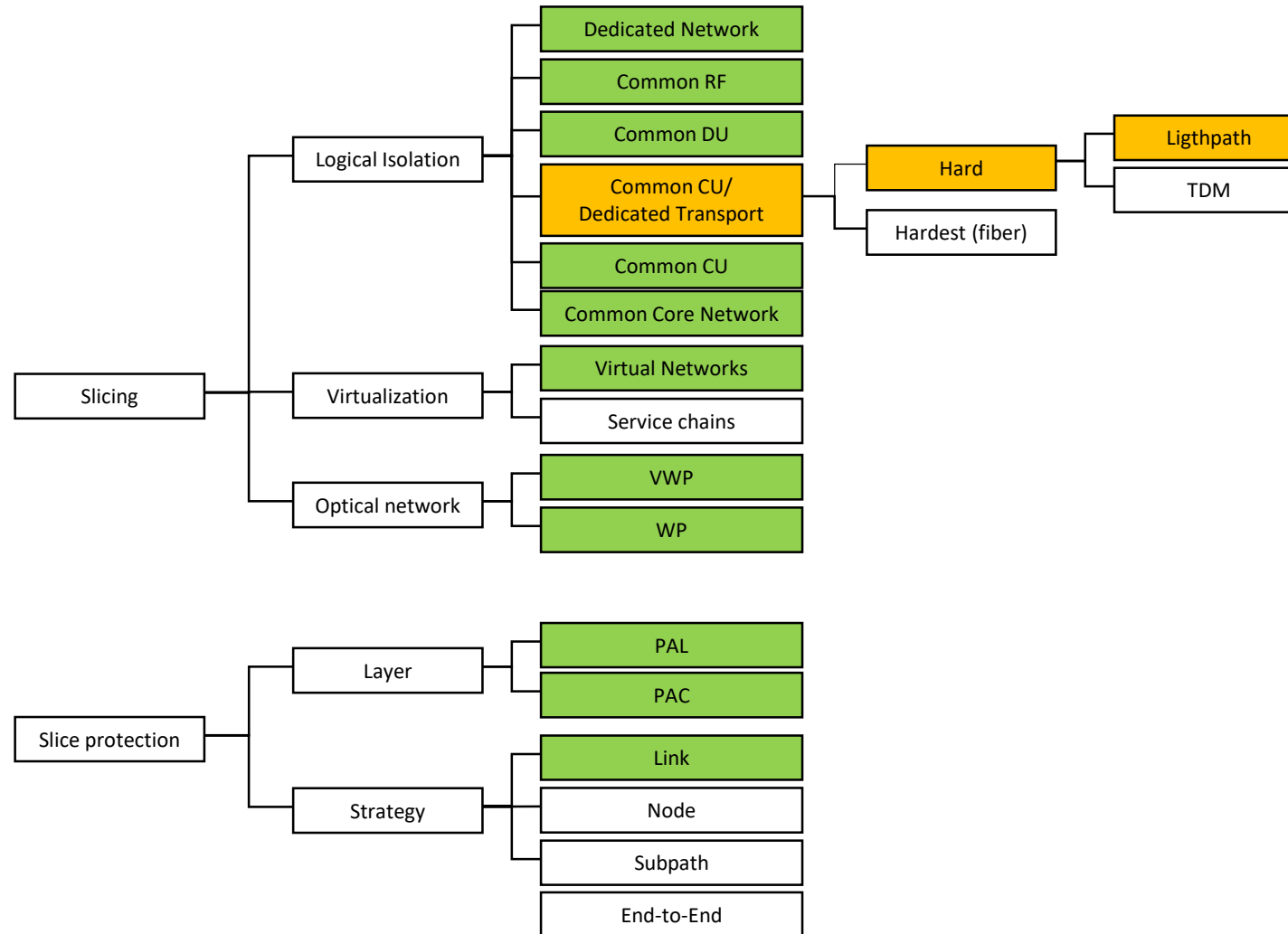
- End to end protection

Slice 1: High Capacity – No protection req.

Slice 2: Low capacity - Reliable



Reliable Slicing Overview



Problem definition

- Parameters

N_P	Set of physical nodes in the network
N_V	Set of virtual functions. We assume $N_V = \{\text{RU, DU, CU, NGC}\}$
N_S	Set of slice requests
F_{mn}	No. of fibers interconnecting physical nodes m and n
W	No. of wavelengths per link
C	Capacity of each wavelength
K_u	Computational capacity required by deployment of virtual function u on a physical node
C_n	Computational capacity of physical node n
M_{un}	1 if virtual function u can be deployed at physical node n
$R(s)$	$R : N_s \rightarrow \{1, 0\}$ 1 if slice s requires protection
$D(s)$	$D : N_s \rightarrow \{1, 0\}$ 1 if slice s requires dedicated transport

Problem definition

- Variables

$z_{mn}^{s,ij}$	No. of lightpaths between physical nodes i and j passing through link (m, n) and serving slice s
$\zeta_{mn}^{s,ij}$	No. of backup lightpaths between physical nodes i and j passing through link (m, n) and serving slice s
x_{ij}^s	No. of lightpaths between physical nodes i and j serving slice s
ξ_{ij}^s	No. of backup lightpaths between physical nodes i and j serving slice s
w_{ij}^{sbe}	Capacity provisioned from physical node b to e through lightpaths going for node i to node j for slice s
ω_{ij}^{sbe}	Backup capacity provisioned from physical node b to e through lightpaths going for node i to node j for slice s
l_{be}^s	Capacity that needs to be provisioned from physical node b to e for slice s
h_{be}^{suv}	1 if end points of virtual link (u, v) of slice s are mapped to physical nodes b and e
y_{un}	1 if virtual function u is deployed at physical node n

Problem definition

- Objective function:

$$\text{minimize } \sum_s \sum_{i,j} \sum_{m,n} z_{mn}^{s,ij}$$

- Such that:

Working

$$\sum_{\substack{j \in N_P \\ j \neq i}} w_{ij}^{sbe} - \sum_{\substack{j \in N_P \\ j \neq i}} w_{ji}^{sbe} = \begin{cases} l_{be}^s & \text{if } i = b \\ -l_{be}^s & \text{if } i = e \\ 0 & \text{otherwise} \end{cases} \\ \forall i, b, e \in N_P, s \in N_S$$

$$\sum_{\substack{n \in N_P \\ n \neq m}} z_{mn}^{sij} - \sum_{\substack{n \in N_P \\ n \neq m}} z_{nm}^{sij} = \begin{cases} x_{ij}^s & \text{if } m = i \\ -x_{ij}^s & \text{if } m = j \\ 0 & \text{otherwise} \end{cases} \\ \forall m, i, j \in N_P, s \in N_S$$

Backup

$$\sum_{\substack{j \in N_P \\ j \neq i}} \omega_{ij}^{sbe} - \sum_{\substack{j \in N_P \\ j \neq i}} \omega_{ji}^{sbe} = \begin{cases} l_{be}^s & \text{if } i = b \\ -l_{be}^s & \text{if } i = e \\ 0 & \text{otherwise} \end{cases} \\ \forall i, b, e \in N_P, s \in N_S : R(s) = 1$$

$$\sum_{\substack{n \in N_P \\ n \neq m}} \zeta_{mn}^{sij} - \sum_{\substack{n \in N_P \\ n \neq m}} \zeta_{nm}^{sij} = \begin{cases} \xi_{ij}^s & \text{if } m = i \\ -\xi_{ij}^s & \text{if } m = j \\ 0 & \text{otherwise} \end{cases} \\ \forall m, i, j \in N_P, s \in N_S : R(s) = 1$$

Problem definition

- Such that:

$$z_{mn}^{sij} + z_{nm}^{sij} + \zeta_{mn}^{sij} + \zeta_{nm}^{sij} \leq 1 \forall i, j, m, n \in N_P, s \in N_S$$

Link disjointness (PAC)

$$\sum_{\substack{b, e \in N_P \\ s \in N_S}} w_{ij}^{sbe} \leq C \times x_{ij} \forall i, j \in N_P, s \in N_S$$

$$\sum_{\substack{b, e \in N_P \\ s \in N_S}} \omega_{ij}^{sbe} \leq C \times \xi_{ij} \forall i, j \in N_P, s \in N_S$$

Capacity constraints

$$\sum_{i, j \in N_P} (z_{mn}^{ij} + \zeta_{nm}^{ij}) \leq W \times F_{mn} \quad \forall m, n \in N_P$$

Problem definition

- Such that:

$$h_{be}^{su} = y_{ub}^S \times y_{ve}^S \quad \forall b, e \in N_P, u, v \in N_V, s \in N_S$$

$$\sum_{n \in N_P} y_{un}^s = 1 \quad \forall u \in N_V, s \in N_S$$

$$\sum_{\substack{u \in N_V \\ s \in N_S}} y_{un}^s \times K_u^s \leq C_n \quad \forall u \in N_V, n \in N_P, s \in N_S$$

$$y_{un}^s \leq M_{un} \quad \forall n \in N_P, u \in N_V, s \in N_S$$

Node mapping constraints

Thank you