

A Review on 3-Dimention in Wireless Networks

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7/31/2009

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[Gupta & Kumar, 2000]



3D Wireless: Capacity (1)



Main results:

- Under a Protocol Model of noninterference, in a random 3-D network of n nodes randomly located in a sphere, with each node capable of transmitting at *W* bits/sec and using a common range, the throughput that each node can obtain for a randomly chosen destination is

$$\ominus \left(\frac{W}{(n\log^2 n)^{\frac{1}{3}}}\right)$$

- A 3D wireless network has higher capacity than a 2D wireless network.

3D Wireless: Capacity (2)



- [Lin et al, ChinaCom07]
- Derive the expected network throughput of a 3D wireless network, as a function of : <u>number of flows</u> sharing the space, <u>path loss</u> exponent, and background <u>noise</u>
- Derive the CDF and PDF of the distance in 3D space
- Then find the threshold (r = radius) at which concurrent links can take place
- Network capacity will increase 7/31/2009







- [HRL, 2002]

Modify NS-2 and NAM to enable and support 3D wireless:

- extending the boundary of the nodes' space to Z axis
- specifying the nodes' mobility trajectories in 3D instead of 2D
- modifying antenna and propagation objects to support directional beams

3D wireless: Simulation tool





Source: Bo Ryu, Tim Andersen, Mohin Ahmed, Tamer Elbatt, and Alon Peterson, "Research Tools for 3-D Mobile Ad-hoc Networking with Directional Antenna," HRL Lab 2002



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3D wireless: Connectivity, Topology and Power Control (1)



- [Bahramgiri et al, WiNet06]
- Control the topology of a multi-hop wireless network
- They extend the Cone-Based Topology Control (<u>CBTC</u>) algorithm (which is in 2D) to the third dimension
- Varying the transmission power at each node
- The main idea here is that each node increases its power until there is no 3D-cone of degree α in which there is no other node.

3D wireless: Connectivity, Topology and Power Control (2)



- [Wang et al, Globecom06]
- Investigate power efficient topology control protocols for 3D wireless networks
- Extend several 2D geometric topologies (GG, RNG, Yao-based graph) to 3D case



GG & RNG



- The Gabriel graph (GG) contains edge uv ∈ G iff disk(u, v) contains no other node of V, where disk(u, v) is the disk with edge uv as a diameter
- The relative neighborhood graph (RNG), consists of all edges uv ∈ G such that the intersection of two circles centered at u and v with radius uv does not contain any node from the set V
- Both GG and RNG are connected, planar, and contain the Euclidean MST of V if G is connected



3D wireless: Connectivity, Topology and Power Control (3)



- [Wang et al, ICCCN08]
- Is an extension work for [Wang et al, Globecom06]
- Topology control considering fault tolerant



- Delaunay Triangulation can be extended to n-dimensions
- Definition (Wiki): For a set P of points in the (*n*-dimensional) Euclidean space, a Delaunay triangulation is a triangulation DT(P) such that no point in P is inside the circum-hypersphere of any simplex in DT(P)





 Delaunay Triangulation of n points in 2-D will have at most O(n) triangles while in 3-D it can have O(n²) tetrahedra

3D wireless: Connectivity, Topology and Power Control (4)

- [Ghosh et al, Secon07]
- Spherical Delaunay Triangulation (SDT)
- Theorem: let each node u_i construct SDT of its projected neighbor locations on the spherical surface for some power level P_i, If the largest surface area Ω_i^{max} of the spherical cap for node u_i satisfies Ω_i^{max} ≤ 2.72 R_i² (∀ u_i) then network topology is connected





3D wireless: Connectivity, Topology and Power Control (4)



Heuristic Extension to CBTC





3D Wireless: Routing (1)



- [Li et al., ICC08]
- Investigate how to design <u>load balancing routing</u> for 3D networks
- Propose a 3D load-balancing routing method, called 3D Circular Sailing Routing (CSR)
- CSR maps the 3D network onto a sphere and routes the packets based on the spherical distance on the sphere

3D Wireless: Routing (1)



Projection on 3D Sphere

- Any point m(x, y, z) in R maps to $m(x, y, z, \varphi)$ on the 3D sphere, φ is the Euclidean distance from *m* to the center of the sphere
- The projection gives each node a position on the surface of the sphere
- For routing: the distance between any two nodes is measured by the shortest arc of the great circle passing through the nodes' projections



3D Wireless: Routing (2)



- [Abdallah et al., ComCom08]
- Extend the position-based wireless routing algorithms from 2D to 3D
- Examples: LAR, DREAM, GPRS, etc
- The 3D technique improves the delivery rate of the wireless network



3D Wireless: Routing (2)









- 3D wireless early studies focused mainly on network connectivity
- Recently, Routing, Channel Assignment, and Topology Control are more considered in 3D
- Extending algorithms from 2D to 3D is not always easy and efficient

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Backup Slides



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$CBTC(\alpha)$ - Phase 1

Phase 1:



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- Each node starts with minimum power $p = p_0$
- Each node u broadcasts neighbor discovery message using power p
- Nodes which receive a neighbor discover message send back an acknowledgement
- On receiving acks node u records all acks and the directions they come from
- Determine whether there is one neighbor in every cone of αdegrees centered at u. Increase power level p and continue process till maximum power is reached or the condition is met







- p(u) < P_{max} is the minimum power to find a neighbor in every cone with angle α
- Property: For each node u and for each angle ρ ($0 \le \rho \le 2\pi$), if there is a node in the cone C = [ρ , $\rho+\alpha$] when sending with maximum power P_{max}, then there is a node v' in cone C when sending with minimum power p(u).



 This property implies that CBTC achieves the same connectivity as that with scheme where all nodes use maximum power 7/31/2009

CBTC – Phase 2



- This phase removes redundant edges without impacting the connectivity
- This phase reduces the node degrees and hence reduces interference
- If there are two nodes v, $w \in N(u)$ and $w \in N(v)$ such that
 - $p(u,v) \leq p(u,w)$
 - p(u,v) + p(v,w) ≤ q. p(u,w)
- Remove w from N(u)



 With q = 1, node w is removed from N(u) if an indirect path consumes less power than a direct path

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Value of α for CBTC

- Let G be the topological graph formed by the CTBC algorithm and let H be the graph formed using P_{max} at all nodes
- Theorem: Suppose we use α ≤ 2π/3 and H is connected.
 Then graph G obtained by CTBC is also connected



• There is a cone C = $[-\alpha/2, \alpha/2]$ with no node v' $\in N(u)$ 7/31/2009 Vishwanath Ramamurthi, UC Davis