

# OFC 2015



# Scheme for Optical Network Recovery Schedule to Restore Virtual Networks after a Disaster

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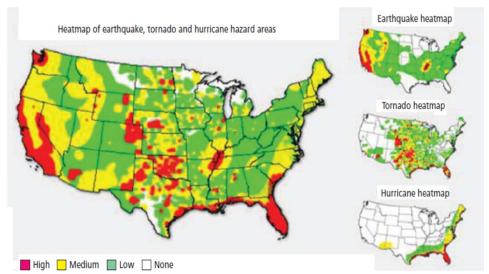


- 1 Backgrounds
- **2** Problem and Solution
- **Simulation Results**
- **4** Conclusions



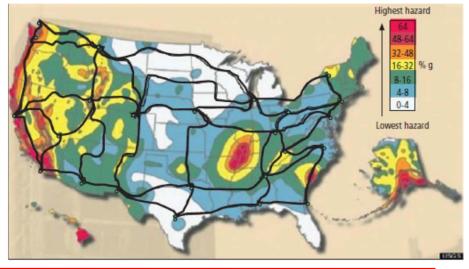
# Telecommunication Networks in Disasters





After disaster occurs, what should network operators do?

SS. Savas, M.F. Habib, M. Tornatore, F. Dikbiyik, and B. Mukherjee. "Network Adaptability to Disaster Disruptions by Exploiting Degraded-Service Tolerance", IEEE Communications Magazine, 2014

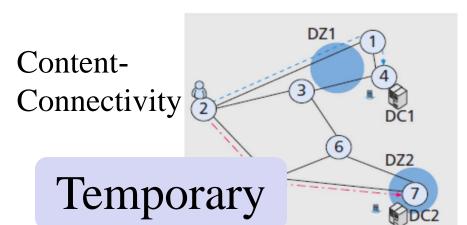


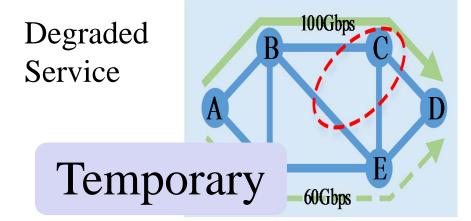


# Post-Disaster Technologies



# **Traffic Engineering**





# **Network Engineering**

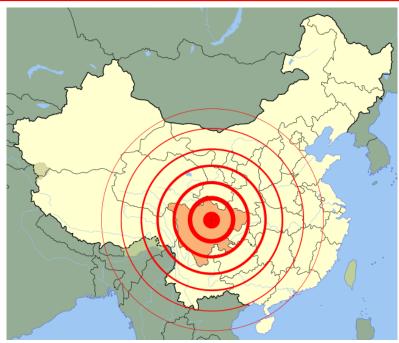






# Earthquake Recovery in Wenchuan









➤ Failures in Disaster:

## Numerous Failures

4,000 telecommunication offices

> Repair tean

T :--:4-1 4-----

**Limited Teams** 

#### Problem

How to make the recovery schedule for each team?

Y. Ran, "Considerations and Suggestions on Improvement of Communication Network Disaster Countermeasures after the Wenchuan Earthquake", IEEE Communication Magazine, 2011.





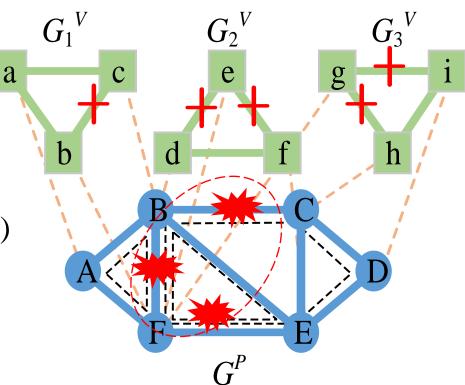
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# **Problem Statement**



- Input
  - physical networks
  - virtual networks
  - mapping relationship
  - disaster (failed components)
- Output
  - Recovery schedule





# Recovery Process



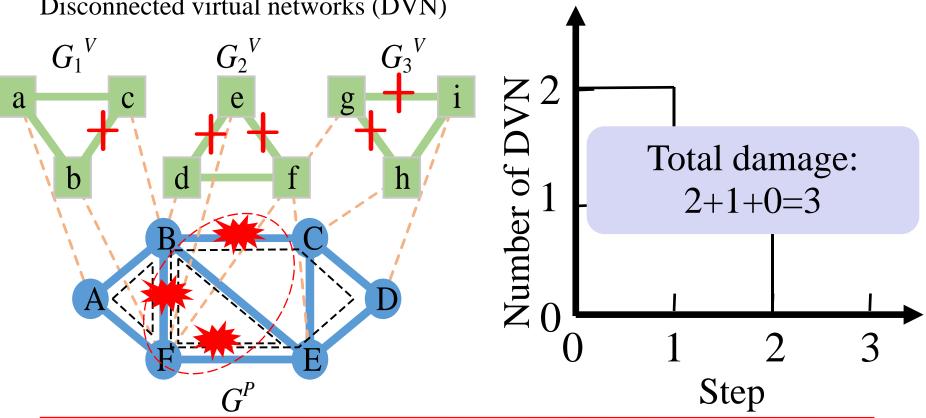
**Schedule:** (B,F), (E,F), (B,C)

#### **Metrics**

Failed virtual links (FVL)

Un-full virtual networks (UVN)

Disconnected virtual networks (DVN)





## **ILP Model**



#### > Constraints

#### > Statements of Physical Links

$$\sum_{k \in \{1,\dots,K\}} y_{(i,j),k} = 1 \quad \forall (i,j) \in E^D$$

$$\sum_{(i,j)\in E^D} y_{(i,j),k} = 2 \qquad \forall k \in \{1,\ldots,K\}$$

$$y_{(i,j),k} = y_{(j,i),k} \quad \forall k \in \{1,..,K\}, (i,j) \in E^D$$

$$c_{(i,j),k=1} = 0 \quad \forall k \in \{1,..,K\}, (i,j) \in E^D$$

$$c_{(i,j),k} = \sum_{k' \in \{1,..,K\}} y_{(i,j),k'} \quad \forall k \in \{2,..,K\}, (i,j) \in E^D$$

#### Damage of UVN

$$f_{s,k} = \bigvee_{(m,n) \in E_s^V} l_{(m,n),s,k} \quad \forall s \in \{1,..,S\}, k \in \{1,..,K\}$$

#### ➤ Damage of DVN

$$\sum_{(m,n)\in E^D} x_{(p,q),(m,n),s,k} - \sum_{(n,m)\in E^D} x_{(p,q),(n,m),s,k} =$$

$$\begin{cases} 1 & if \ n = p \\ -1 & if \ n = q \\ 0 & otherwise \end{cases} \forall p,q,m \in V_s^V, p \neq q, (m,n) \in E_s^V, k \in \{1,..,K\}$$

$$h_{(p,q),(m,n),s,k} = x_{(p,q),(m,n),s,k} \land l_{(m,n,s,k)} \quad \forall p,q \in V_s^V, p \neq q, (m,n) \in E_s^V, k \in \{1,...,K\}$$

$$r_{s,k} = \bigvee_{p,q \in E_s^V, p \neq q, (m,n) \in E_s^V} h_{(p,q),(m,n),s,k} \ \forall s \in \{1,..,S\}, k \in \{1,..,K\}$$

#### ➤ Damage of FVL

$$l_{(m,n),s,k} = \bigvee_{(i,j) \in E^D} M_{(i,j),(m,n),s} \times (1 - c_{(i,j),k}) \qquad \forall (m,n) \in E_s^V, k \in \{1,...,K\}$$

# Objectives

- ➤ Minimum DVN
- $\min \sum_{k \in \{1,\dots,K\}} \sum_{s \in \{1,\dots,S\}} r_{s,k}$
- > Minimum UVN
- $\min \sum_{k \in \{1,\dots,K\}} \sum_{s \in \{1,\dots,S\}} f_{s,k}$

> Minimum FVL

$$\min \sum_{k \in \{1,..,K\}} \sum_{s \in \{1,..,S\}} \sum_{(m,n)} l_{(m,n),s,k}$$



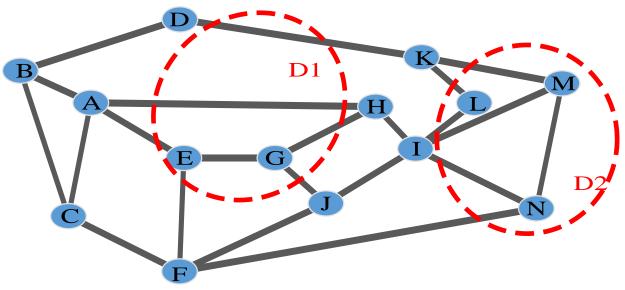


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# **Simulation**





- Modified NSFNet topology
- Two disaster areas with 7 failures each
- Ten virtual networks
  - Four virtual nodes, which are randomly mapped to physical network

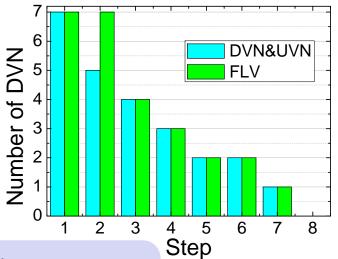


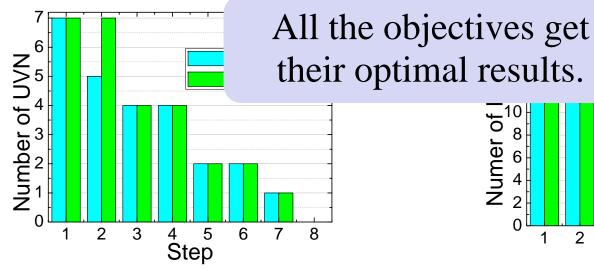
# Results of OFC

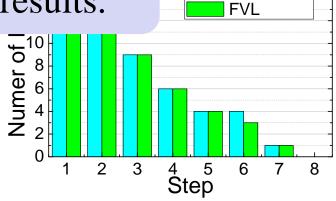


#### Disaster Area D1

DVN	
UVN	(A,H)(D,K)(D,E)(E,F)(E,G)(G,H)(G,J)
FLV	(D,K)(A,H)(D,E)(E,F)(G,H)(E,G)(G,J)







**DVN&UVN** 

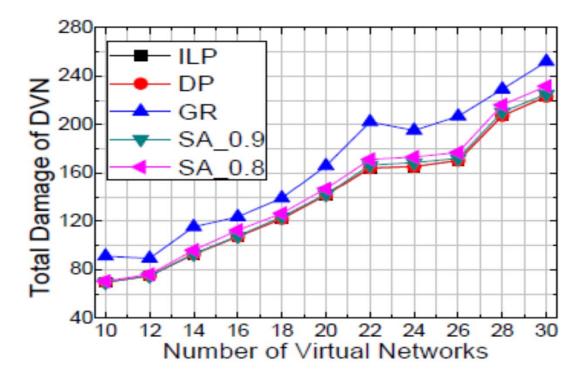
<sup>\*</sup>Disconnected virtual networks (DVN) \*Un-full virtual networks (UVN) \*Failed virtual links (FVL)



# Results after OFC



- Repair and traveling times are dynamic changed.
- Multiple algorithms (Dynamic Programming, Greedy Algorithm, Simulated Annealing) are proposed.







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# **Conclusions**



- We investigated the recovery schedule of virtual networks after disaster and proposed a mathematic solution for it.
- We proposed and compared different recovery objectives, and showed that each objective can lead to its optimal result.

#### Work after OFC:

- Repair time and traveling time to failure locations will be dynamic changed.
- Heuristic algorithms will be introduced and compared to the problem.



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# Thanks! Q&A