



Content Fragmentation: A New Inter-Data Center Content Redundancy Scheme to Saving Energy in Optical Cloud Networks

Group Meeting Presentation

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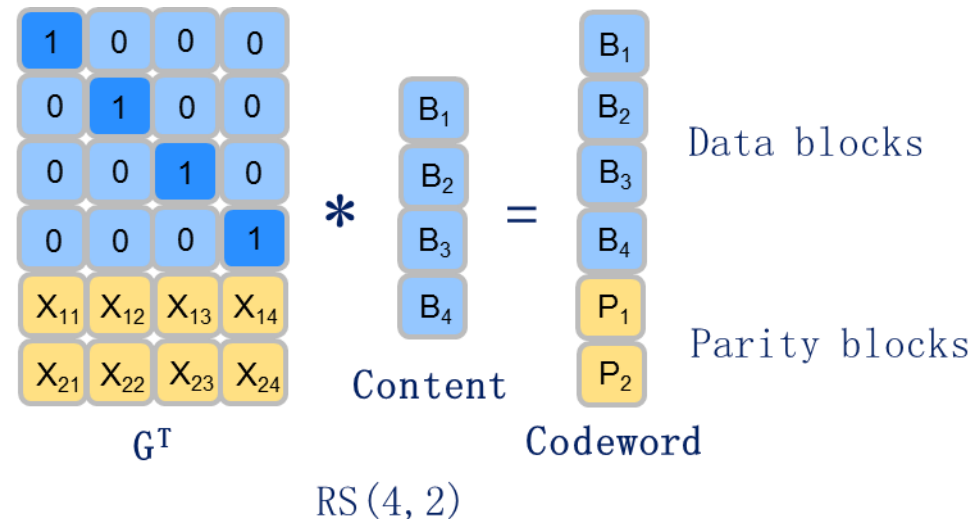
Motivation



- ❑ The rapid growth of content-based cloud services (as video streaming, etc.) is raising concerns on the environmental sustainability of the supporting infrastructure.
- ❑ Traditional inter-DC content redundancy scheme -- Content Replication (CR) failed to save energy on storage, as it usually requires multiple replicas of a content to be distributed across DCs to guarantee resiliency.
- ❑ To explore energy optimization possibilities on storage, in this study, we propose a new scheme called **Content Fragmentation (CF) to achieve less storage redundancy, thus less energy consumption.**
- ❑ However, the tradeoff is that CF consumes more energy than CR on core network and on content decoding.

Content Fragmentation

- ❑ Content is fragmented into k equally-sized data blocks.
- ❑ Erasure code is used to perform content encoding, i.e., encoding k data blocks to r parity blocks of same size.
- ❑ A specific type of erasure code, called Reed-Solomon (RS), is used to provide inter-DC redundancy.
- ❑ RS allows any k blocks out of $(k+r)$ blocks to reconstruct the original content.



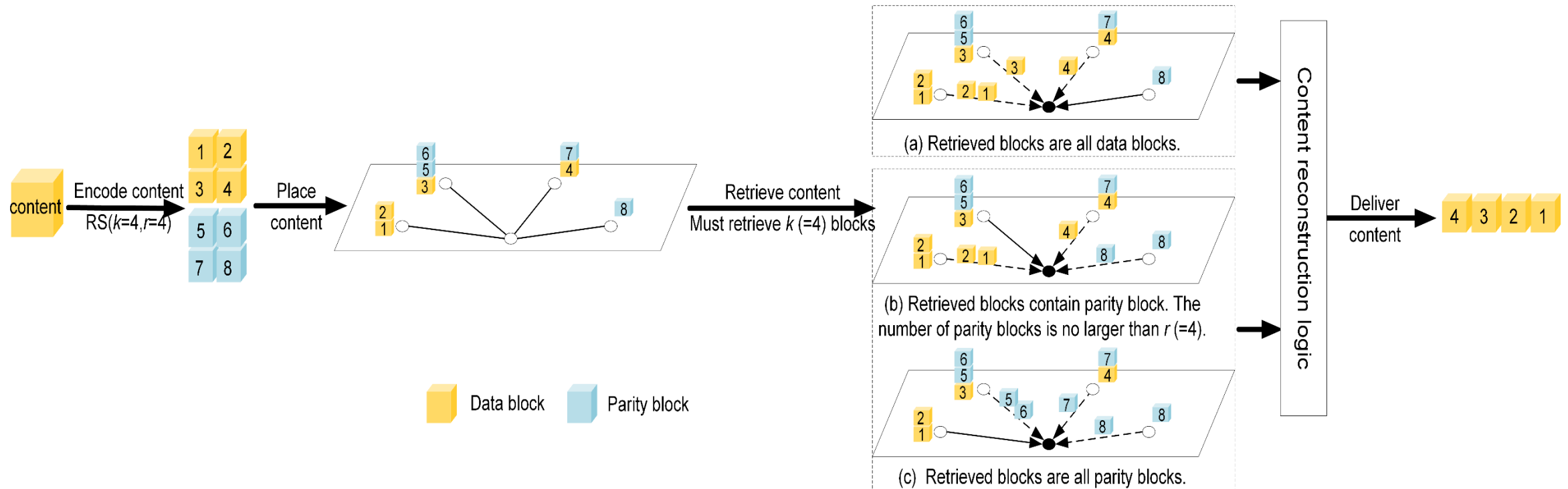
CF Energy Consumption Tradeoff

- ❑ CF consumes less energy on **storage** than CR.
 - ❖ Industry standard CR redundancy level: 3 replicas per content.
 - ✓ 2x more storage usage.
 - ❖ Industry standard CF redundancy level: RS(10, 4).
 - ✓ 0.4x more storage usage.
- ❑ CF could potential consume more energy on **core network** and **content decoding** than CR.
 - ❖ Content retrieving follows reverse-multicast routing.
 - ❖ Content decoding consumes extra energy in CF if there is any data block missing.

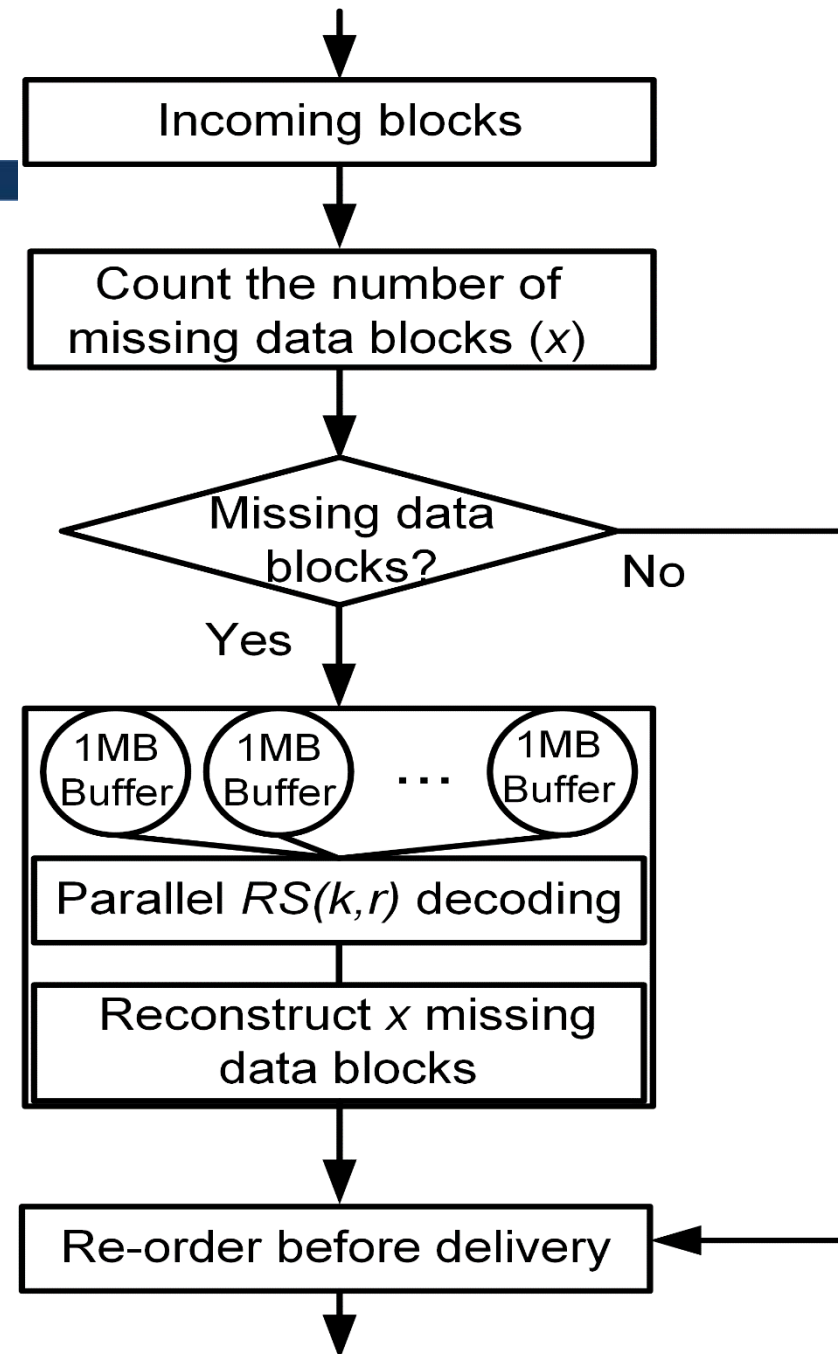
The Goals of This Study

- ❑ We propose and formulate the **content placement and routing assignment problem** with the goal to **minimize energy consumption** while **satisfying QoS constraints such as resiliency and latency** for both CF and CR schemes.
- ❑ This problem is solved optimally by MILP. Due to its complexity, we also propose an efficient meta-heuristic algorithm (M-CPRA).
- ❑ We provide guidelines on how to choose which scheme to use based on three factors: **(1) number of content requests, (2) resiliency, and (3) latency.**

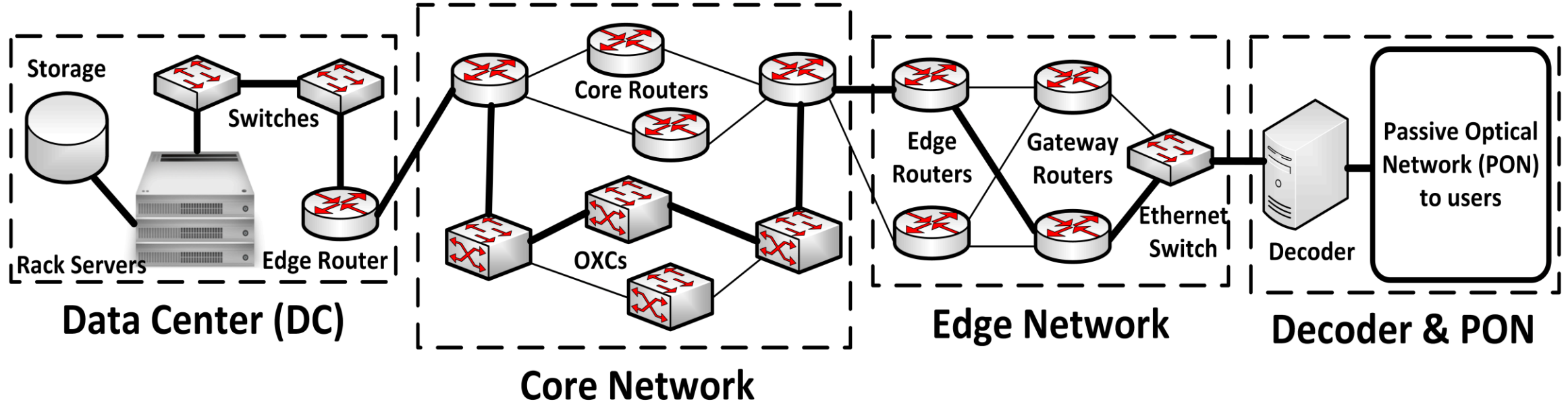
CF Content Retrieving



CF Content Decoding

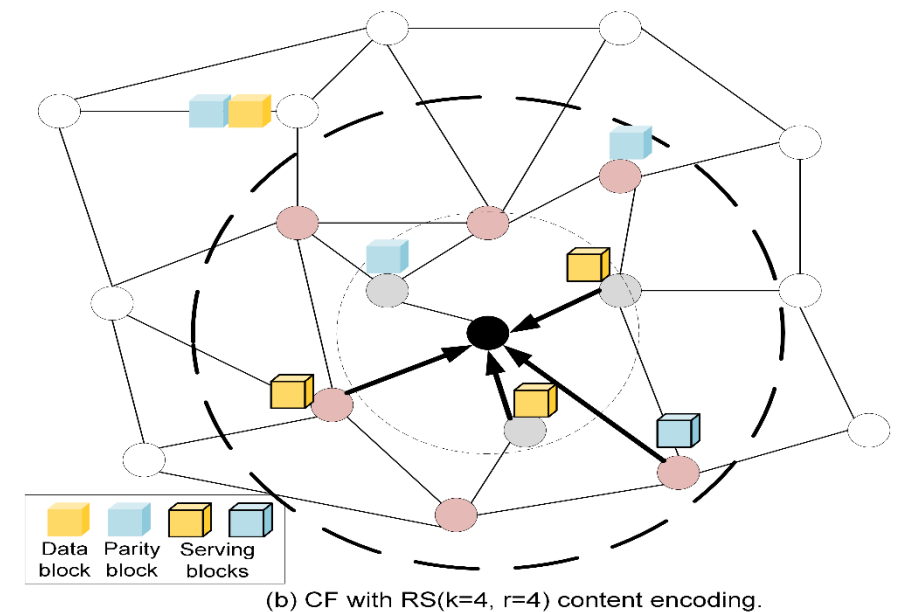
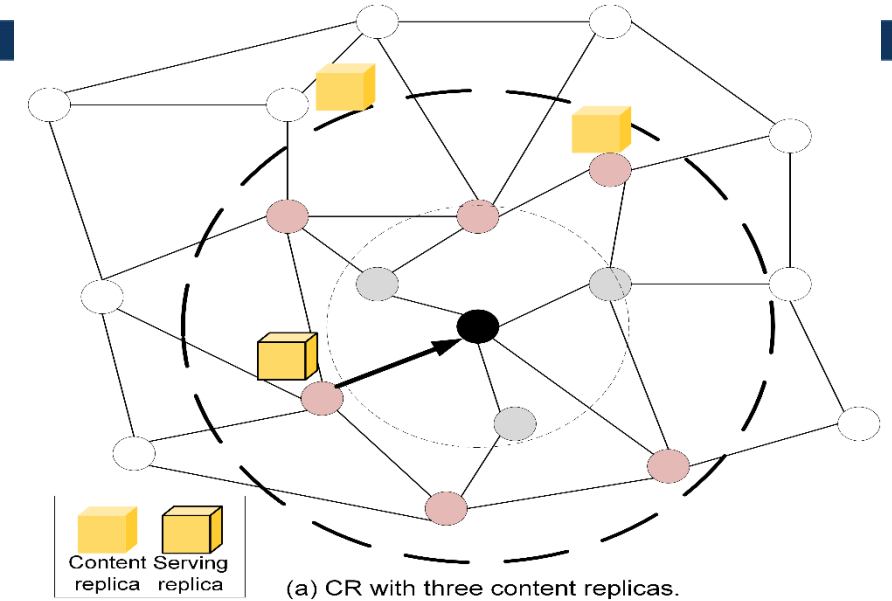


Energy Consumption



QoS Constraint: Latency

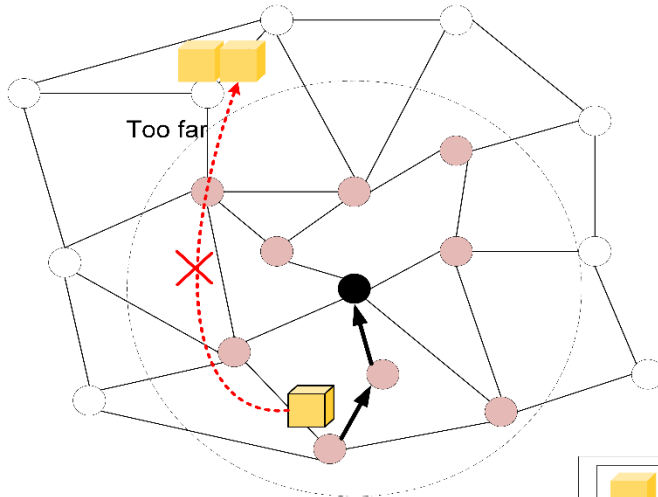
- ❑ Latency Island
 - ❖ A set of nodes within the reach of the current node.
- ❑ Latency
 - ❖ All of the serving blocks (data/parity) need to be placed within latency island.



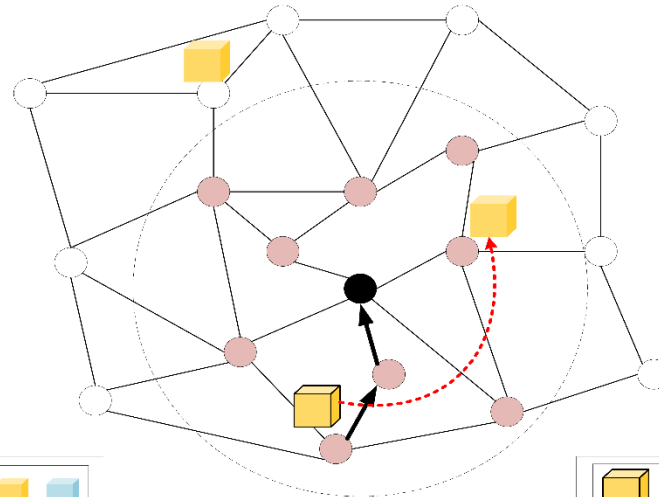
QoS Constraint: Resiliency

- ❑ We consider resiliency for single-node failure.
- ❑ If a content-hosting node is down, we need a backup plan for serving blocks at failure node so that the service is not disrupted.

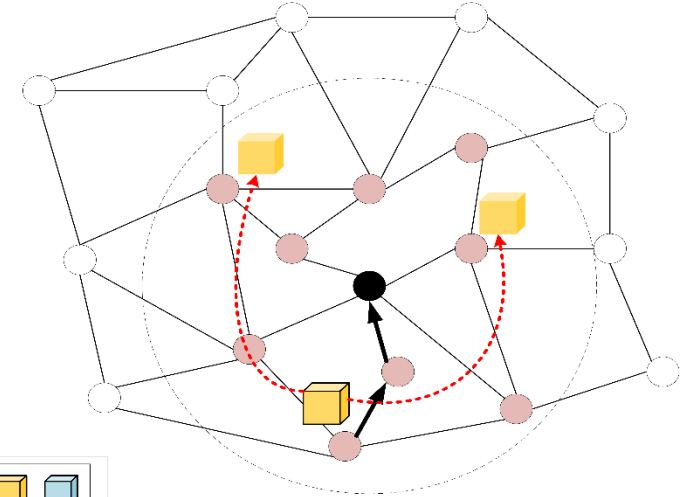
QoS Constraint: Resiliency



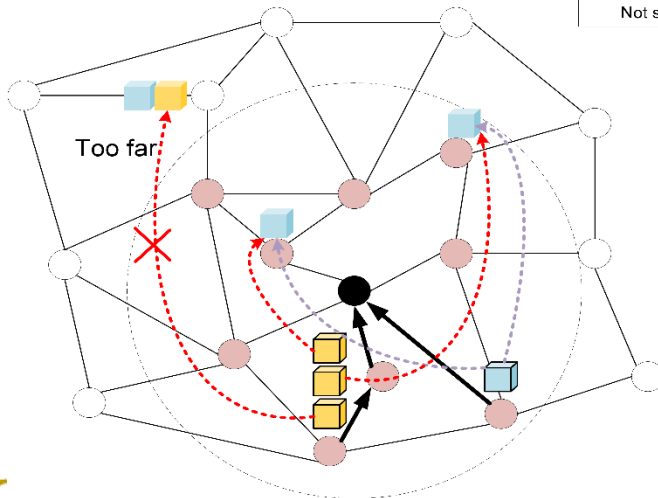
(a) CR with three content replicas, $U_{th} = 0$.



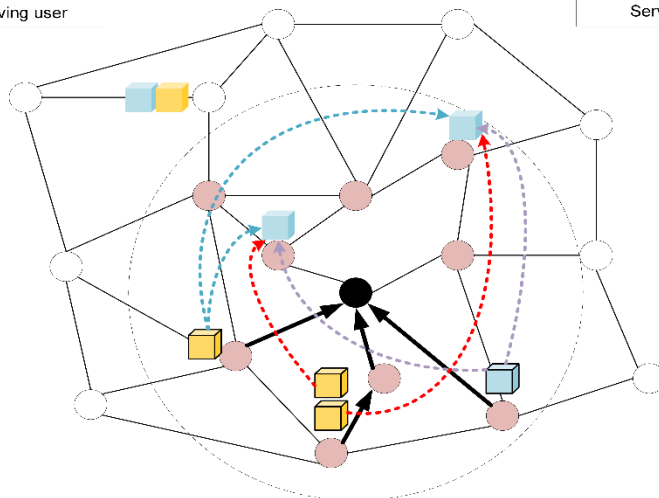
(b) CR with three content replicas, $U_{th} = 1$.



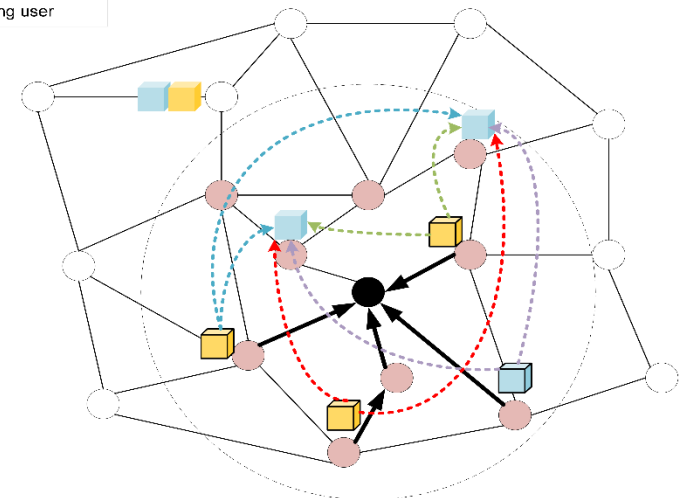
(c) CR with three content replicas, $U_{th} = 2$.



(d) CF with RS($k=4$, $r=4$) content encoding, $U_{th} = 0$.



(e) CF with RS($k=4$, $r=4$) content encoding, $U_{th} = 1$.



(f) CF with RS($k=4$, $r=4$) content encoding, $U_{th} = 2$.

M-CPRA Algorithm

Probabilistically Rearrange Placement (PRP)

Input: Local optimal placement from last neighborhood (replica/block-hosting DC set (HS) + set of replicas/blocks placed at DC d in HS (ϕ_d));

Output: resulting content placement ($HS^* + \phi_d^*$ (equal HS and ϕ_d initially)). Randomly generate number of replicas/blocks to be rearranged ($\omega^{(i)} \leq |I^{(i)}|$)

repeat

Count the number of LIs each DC d belongs to in HS' (δ_d).

Calculate the probability of DC d in HS' being selected to remove a content replica/block. k_1 and k_2 are coefficients used to scale the sum to be 1.

$$\Pr^R(d) = k_1 \cdot \frac{1/\delta_d}{\sum_{j \in HS'} 1/\delta_j} + k_2 \cdot \frac{\theta_d}{\sum_{j \in HS'} \theta_j} \quad \forall d \in HS' \quad (19)$$

Probabilistically select a DC d from HS' according to the above distribution, remove the replica/block with least index number from it, and update HS' and ϕ_d if necessary.

until $\omega^{(i)}$ replicas/blocks get removed

for each removed replica/block

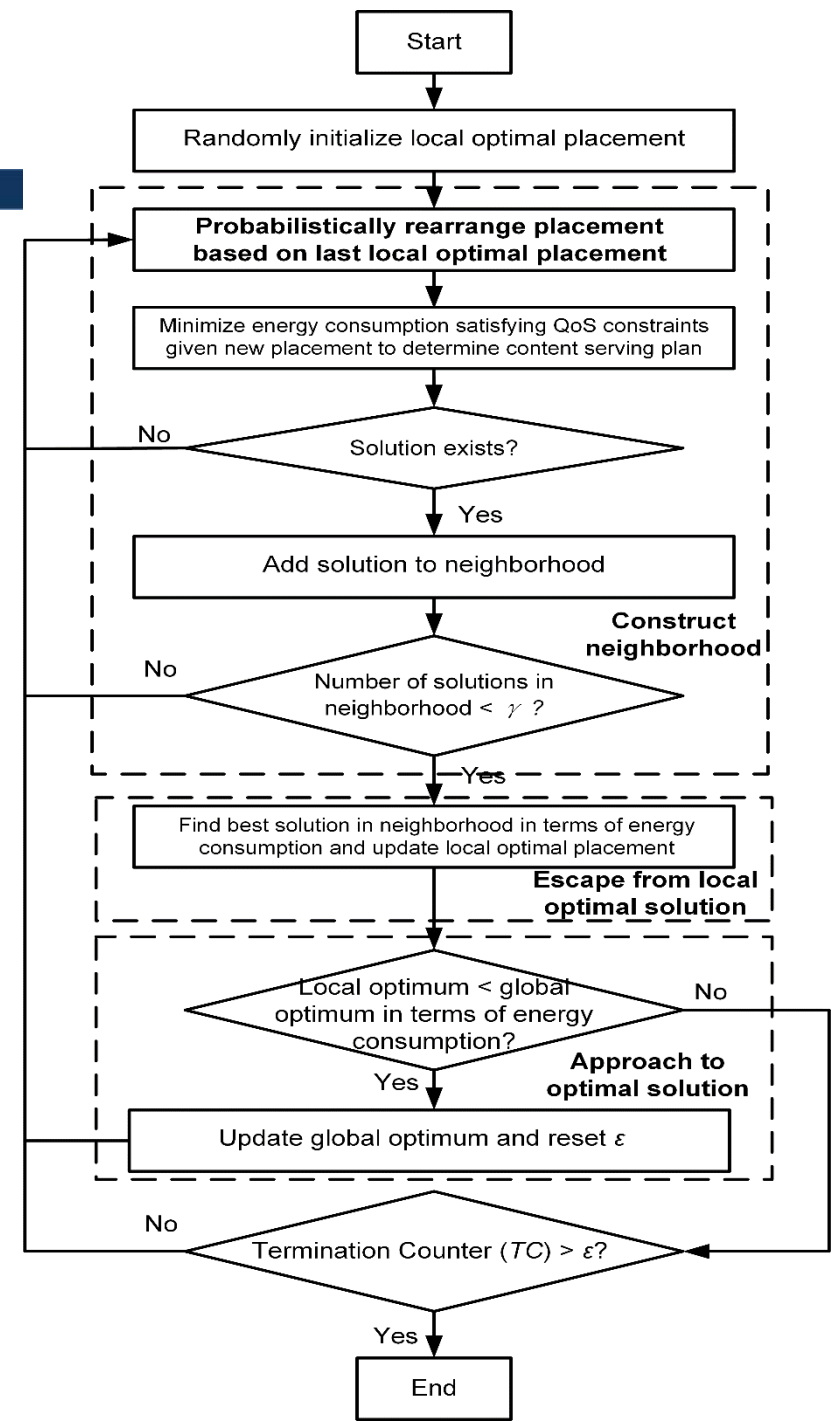
Use same procedures to calculate $\Pr^R(d)$ for each DC d in DC set DS .

Calculate the probability of DC d in DS being selected to add a content replica/block.

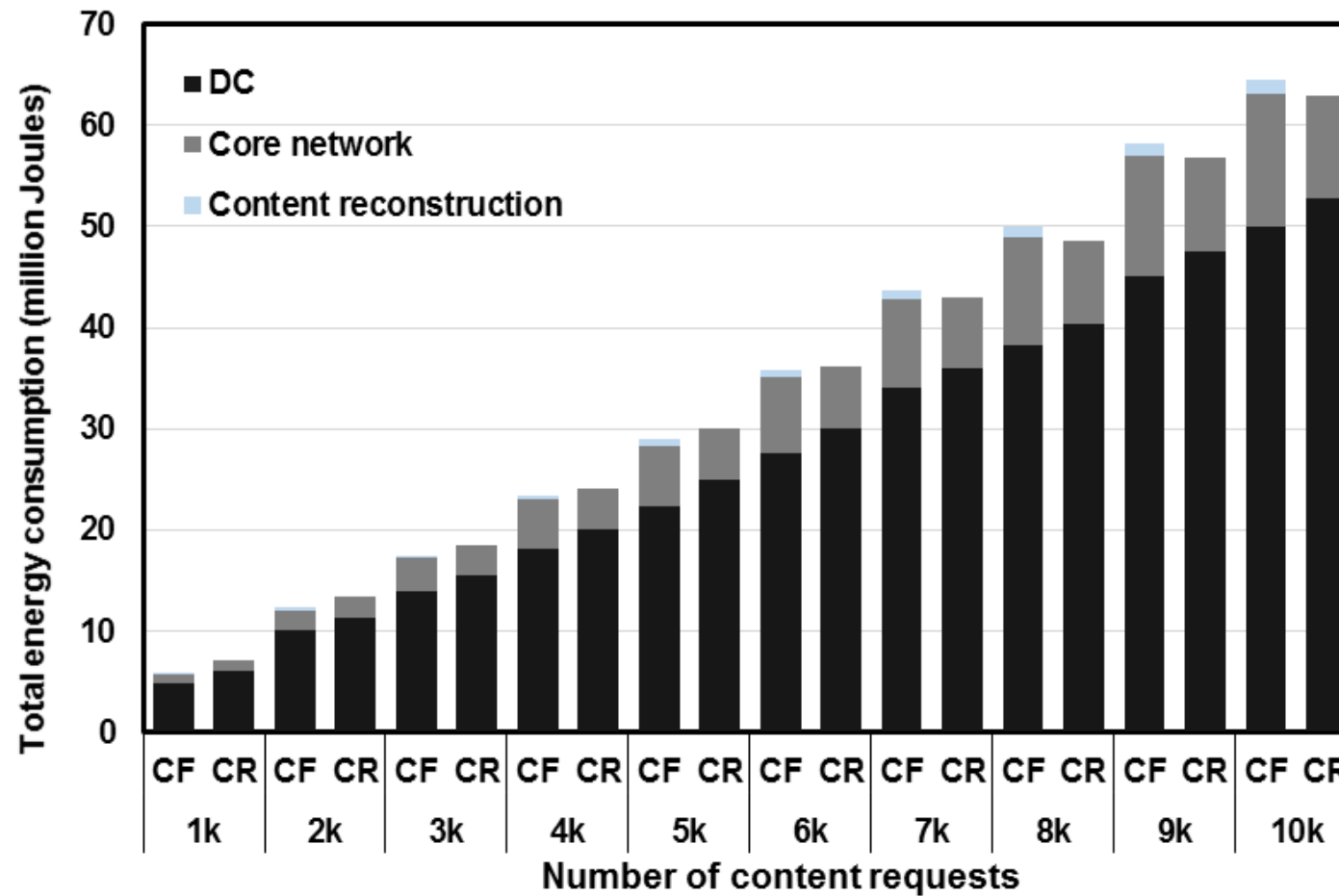
$$\Pr^A(d) = \frac{1 - \Pr^R(d)}{|DS| - 1} \quad \forall d \in DS \quad (20)$$

Probabilistically select a DC d from DS according to the above distribution, add the removed replica/block to it, and update HS' and ϕ_d if necessary.

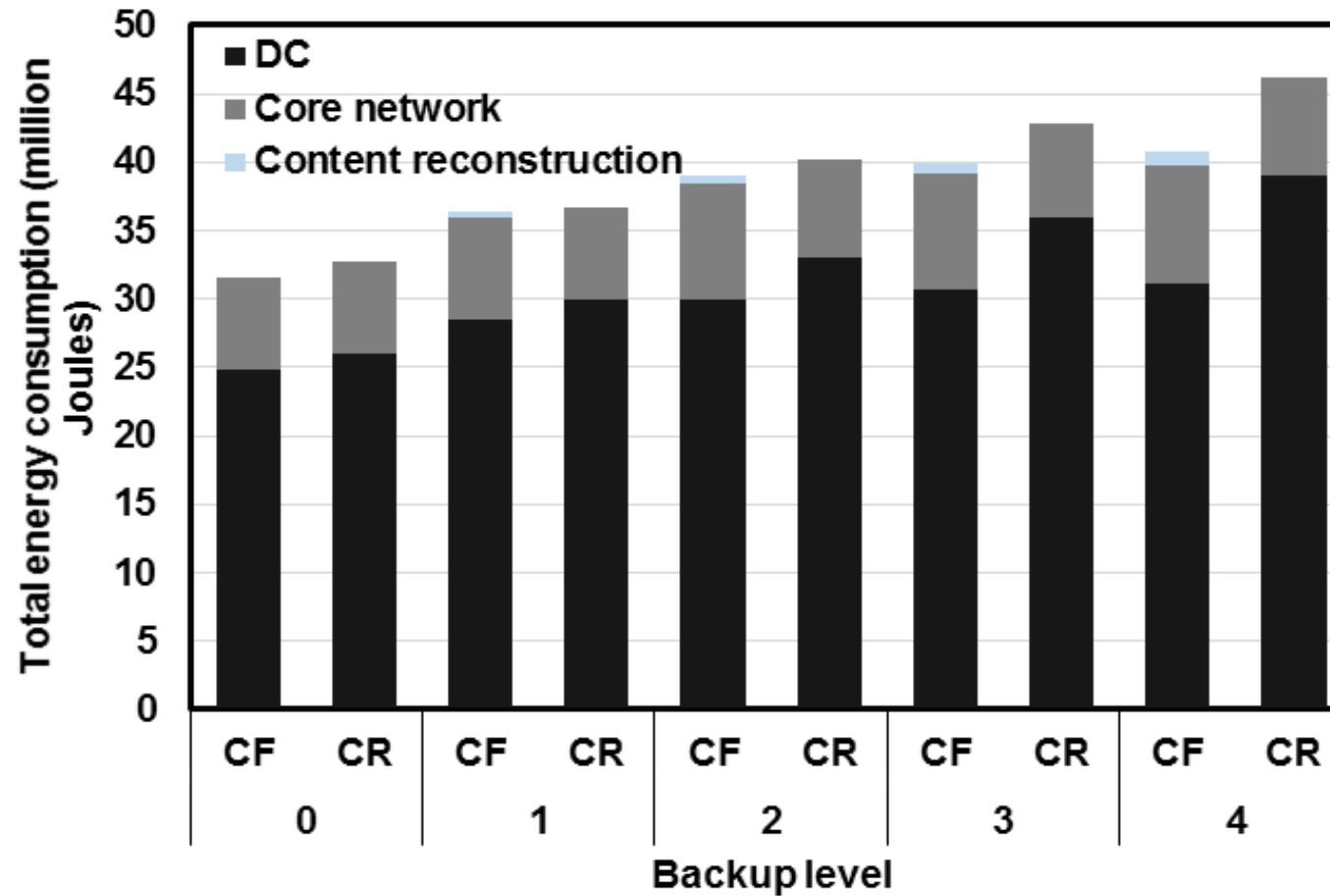
end



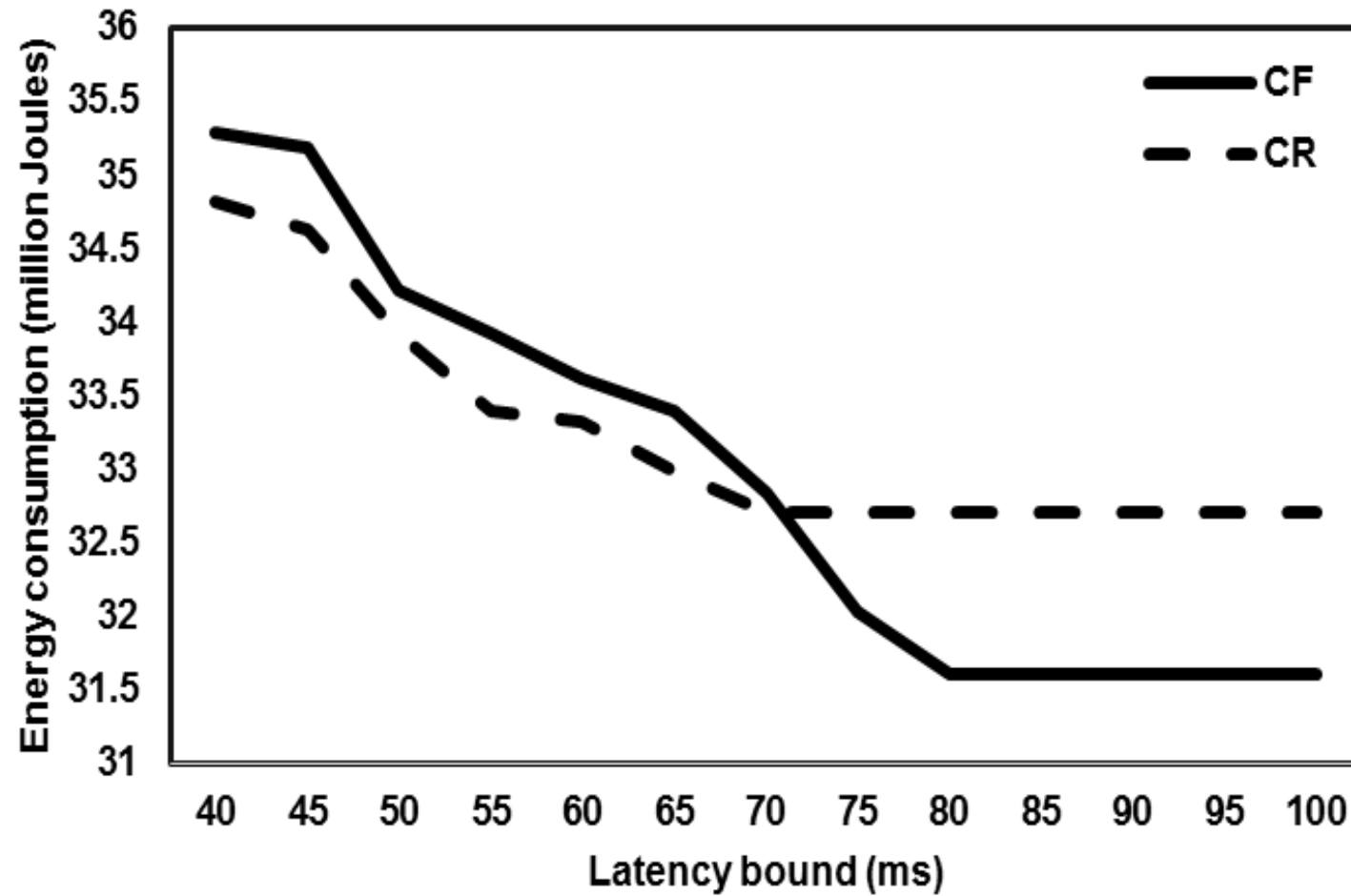
CF or CR



CF or CR



CF or CR





Thank you!