

# Network Laboratory – Wireless research Group



Interference-Aware Routing by modeling link capacity in Multi-hop 802.11-based WMN.

“Problem Formulation & Background”

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# Background

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- Routing in Wireless Mesh Network (WMN) is not yet optimal.
- Cross-layer solution is required for an acceptable modeling and design.
- Selecting a good route is based on selecting high capacity links along the route.
- In WMN, link capacity is influenced by the interference that is caused by the surrounding co-channel links.



# Background

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- In 802.11 protocol, based on CSMA/CA, the interference can be partially avoided using one of the two carrier sensing techniques:
  - 1- Physical Carrier Sensing (PCS) using Clear Channel Assessment (CCA) threshold, or
  - 2- Virtual Carrier Sensing (VCS) using RTS/CTS handshake.



# Background

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- Using RTS/CTS in 802.11 can avoid interference (collisions caused by Hidden nodes) in the single-hop WMN.
- This is not true when we have multi-hop WMN → Extended Hidden node problem.
- Therefore, 802.11 alone can't handle the multi-hop WMN.
- Hence, while using 802.11, an intelligent techniques in routing, channel assignments, etc, need to be implemented.



# Background

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- Hidden nodes:
  - Two transmitters not within hearing range, but one of them (or both) are within the interference range of the receivers.
- Exposed nodes:
  - Two transmitter within same hearing range, but non of them within the interference range of the receivers
- In 802.11, both hidden and exposed node problems cause throughput degradation.



# Related Work

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- Modeling link capacity in 802.11 passed through different stages of development in the literature:
  - 1- Simi Wired-base model (no interference).
  - 2- Consider interference:
    - Single interferer only (not realistic),
    - Allow no interfering link to be active,
    - Consider one interference domain e.g. Sensing range (ignore hidden node problem),
    - Consider one collision domain e.g. Interference range, or
    - Consider two ranges (sensing/interference) based on physical details.



# Modeling Approach

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- PCS will be used instead of RTS/CTS because, in addition to, RTS/CTS can't avoid the multi-hop hidden nodes problem, it adds more overhead traffic.
- Capture the different effects from carrier sensing range and interference range.
- Using only high level parameters (Location/Distance) to model the interference-aware link capacity.
- This high level parameters are link-aware which satisfy the cross-layer condition.
- Multi-path routing.



# Analytical Model

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- Input: Network topology, channel assignment, and load (traffic) matrix.
- Output: Set of optimal routes that maximizes network throughput.





# Notations

## Input

$\mathbb{N}$	set of all nodes in the network.
$N$	total number of nodes in the network ( $N =  \mathbb{N} $ ).
$A_i$	node $n_i$ 's adjacent set of nodes.
$C_{ij}^{max}$	is the maximum link capacity of link $L_{ij}$ .
$CS_{ij} \star$	set of links $\in R_{cs}^{ij}$ of $L_{ij}$ and assigned to the same channel of $L_{ij}$ .
$I_{ij} \star$	set of links $\in R_I^{ij}$ of $L_{ij}$ and assigned to the same channel of $L_{ij}$ .
$Dcs_{ij}^{xy} \star$	= 1 when $L_{xy}$ is within $R_{cs}^{ij}$ .
$DI_{ij}^{xy} \star$	= 1 when $L_{xy}$ is within $R_I^{ij}$ and outside $R_{cs}^{ij}$ .
$d_{ij}$	distance between node $n_i$ and node $n_j$ .
$d_{ij}^{xy}$	distance between $L_{ij}$ and $L_{xy}$ .
$d_{ij}^{max}$	maximum distance at which other co-channel links can not interfere with $L_{ij}$ ( $= R_I^{ij}$ ).
$T^{sd}$	traffic from source node $n_s$ to destination node $n_d$ .

## Variables

$C_{ij}$	link capacity of $L_{ij}$ .
$\alpha_{ij}^{sd,t}$	= 1 when $L_{ij} \in path(p_{sd})$ and the $t^{th}$ unit of $T^{sd}$ is carried from $n_s$ to $n_d$ by $L_{ij}$ .
$\beta_{xy} \star$	= 1 when $L_{xy}$ carries traffic.
$S^{sd} \star$	succeeded transmitted flow from node $n_s$ to node $n_d$ .

# Analytical Model

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Objective Function:

Maximize Throughput { Maximize  $(\sum_{\forall(s,d)} S^{sd})$ . }

Traffic Constraint:

$$\beta_{xy} = \max_{\forall(s,d)} \alpha_{xy}^{sd,t}.$$

$$S^{sd} \leq T^{sd}, \forall(s, d)$$



# Analytical Model

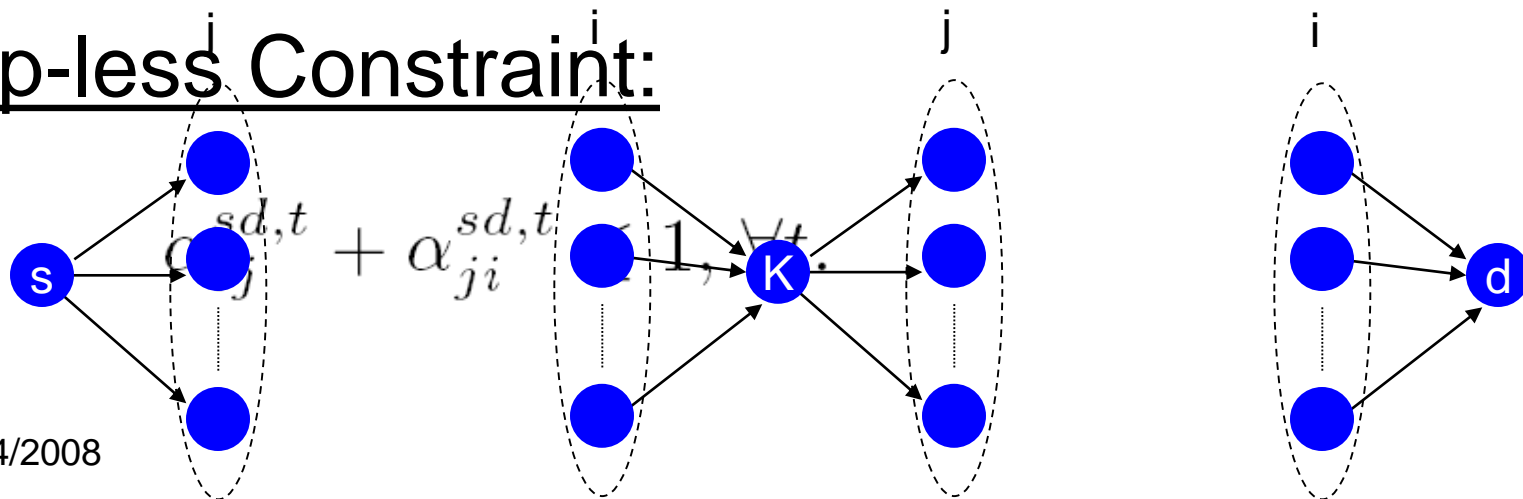
## Routing Constraints:

$$S^{sd} = \sum_{\forall j \in A_s} (\sum_{\forall t} \alpha_{sj}^{sd,t}), \forall (s, d).$$

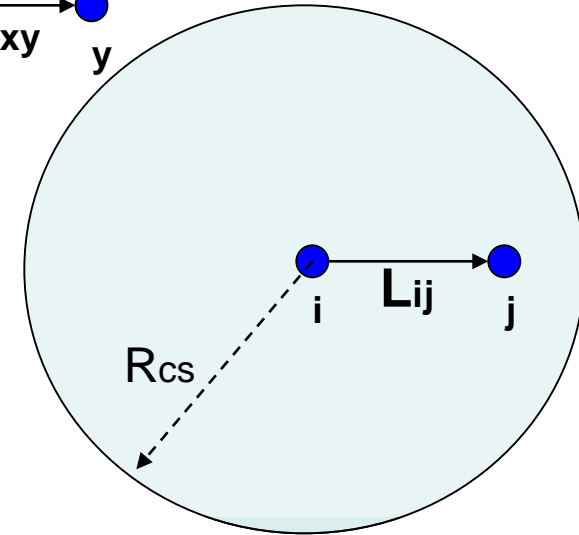
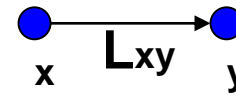
$$\sum_{\forall i \in A_k} (\sum_{\forall t} \alpha_{ik}^{sd,t}) = \sum_{\forall j \in A_k} (\sum_{\forall t} \alpha_{kj}^{sd,t}), \forall k \in \mathcal{N}, \forall (s, d).$$

$$S^{sd} = \sum_{\forall i \in A_d} (\sum_{\forall t} \alpha_{id}^{sd,t}), \forall (s, d).$$

## Loop-less Constraint:



# Analytical Model



## Capacity Constraints:

$$\sum_{\forall (s,d)} \sum_{\forall t} \alpha_{ij}^{sd,t} \leq C_{ij}, \forall L_{ij}.$$

→ Special case (at most single interferer exist):

$$C_{ij}^{xy} = \begin{cases} L_{ij} \text{ has no traffic} \\ L_{ij} \text{'s interferer is located in the hearing range} \\ L_{ij} \text{'s interferer is located in the interference range} \\ L_{ij} \text{'s has no interferers} \end{cases} \cdot 1.$$

$$C_{ij}^{xy} = \left\{ \left( \frac{1}{2} * D_{cs}^{xy} + \frac{d_{ij}^{xy}}{d_{ij}^{max}} * D_{I_{ij}^{xy}} \right) * \beta_{xy} + (1 - \beta_{xy}) \right\} * \beta_{ij} * C_{ij}^{max} \cdot 12$$



# Analytical Model

## Capacity Constraints:

→ General case (Multiple interferers exist):\_

$$C_{ij} = \begin{cases} 0 & \beta_{ij} = 0, \\ \frac{1}{1 + \sum_{\forall L_{xy} \in CS_{ij}} \beta_{xy}} * C_{ij}^{max}, & Dcs_{ij}^{xy} = 1, \beta_{ij} = 1, \\ \frac{\sum_{\forall L_{xy} \in I_{ij}} [\frac{d_{ij}^{xy}}{d_{ij}^{max}} * (\beta_{xy} + (1 - \beta_{xy}) * \frac{d_{ij}^{max}}{d_{ij}^{xy}})]}{\sum_{\forall L_{xy} \in I_{ij}} (\beta_{xy} + (1 - \beta_{xy}))} * C_{ij}^{max}, & \text{only if } I_{ij} \neq \phi, DI_{ij}^{xy} = 1, \beta_{ij} = 1, \forall d_{ij}^{xy} < d_{ij}^{max} \\ C_{ij}^{max}, & Dcs_{ij}^{xy} = DI_{ij}^{xy} = 0, \beta_{xy} = 0, \beta_{ij} = 1(\forall L_{xy}). \end{cases}$$

$$C_{ij} = \left\{ \frac{1}{1 + \sum_{\forall L_{xy} \in CS_{ij}} \beta_{xy}} \right\} * \left\{ \frac{\sum_{\forall L_{xy} \in I_{ij}} [\frac{d_{ij}^{xy}}{d_{ij}^{max}} * (\beta_{xy} + (1 - \beta_{xy}) * \frac{d_{ij}^{max}}{d_{ij}^{xy}})]}{\sum_{\forall L_{xy} \in I_{ij}} (\beta_{xy} + (1 - \beta_{xy}))} \right\} * \beta_{ij} * C_{ij}^{max}$$

# Challenges

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- Solve a non-linear programming.
- Avoid unrealistic approximations and assumptions.

# Acknowledgment

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- Thanks to:
  - Marwan,
  - Vishwanath,
  - Wei Wang.

# Q & A

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Thank you.